

Nanoplasmonics and plasmon-polariton metamaterials

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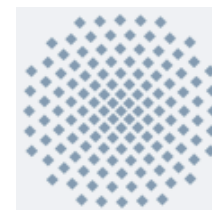
A. Christ**, **J. Kuhl**

Max-Planck-Institut für Festkörperforschung, Stuttgart, Germany,

***École Polytechnique Fédéral de Lausanne, Switzerland*

T. Weiss*, **H. Giessen**

Universität Stuttgart, Institut für Physik IV, Germany



Universität Stuttgart

OUTLINE

- 1. Introduction: localized and surface plasmons, nanoplasmonics; polaritonic photonic crystals**
- 2. Polaritonic photonic crystals: controlling optical properties and near fields**
- 3. Metamaterials based on polaritonic photonic crystals: unit-cell-shape-controlled effective electromagnetic response**
- 4. Conclusions**

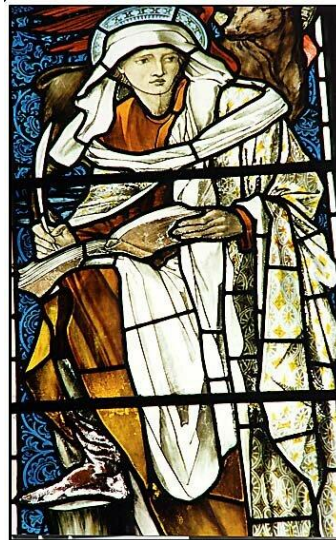
Plasmons:

surface

&

localized (size $\ll \lambda$)

Drude 1900
Wood 1902
Fano 1941
Richie 1968



Lorenz 1890

Hertz 1892

Rayleigh 1897

Maxwell Garnett 1904

Mie 1908

$$\frac{E_{\alpha,\text{in}}}{E_{\alpha,\text{out}}} = \frac{1}{1 + N_{\alpha}[(\epsilon_{\text{in}}(\omega))/\epsilon_{\text{out}} - 1]}$$

$$\frac{\epsilon_{\text{in}}(\omega)}{\epsilon_{\text{out}}} = 1 - N_{\alpha}^{-1} = \begin{cases} -2, & \text{sphere} \\ -1, & \text{cylinder} \end{cases}$$

Stained-glass

Giant Raman scattering

Photoluminescence control, nanoantennas

Single molecule spectrometry (including that of DNA)

Scanning near-field microscopy and nanophotolithography with subwavelength resolution

Metallic-dielectric plasmon-polariton photonic crystals and metamaterials, nanoplasmonics

Plasmons:

surface

&

localized (size $\ll \lambda$)

Drude 1900

Wood 1902

Fano 1941

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Rayleigh 1897

Maxwell Garnett 1904

Mie 1908

$$k^2 = \frac{\omega^2}{c^2} \frac{\epsilon_1 \epsilon_2(\omega)}{\epsilon_1 + \epsilon_2(\omega)}$$

Wood-Fano anomalies in the optical spectra of metallic gratings

Nanophotolithography with subwavelength spatial resolution

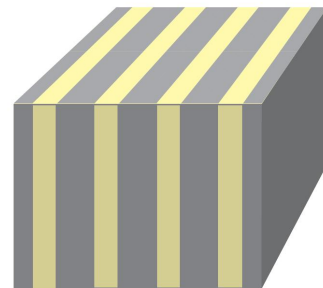
Metallic-dielectric **plasmon-polariton photonic crystals**

• **Photonic crystal** = media with periodically modulated dielectric susceptibility

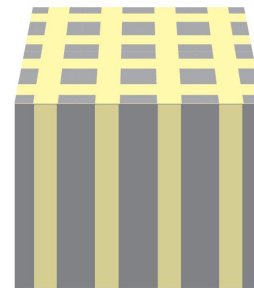
V.P. Bykov 1972

E. Yablonovitch 1987

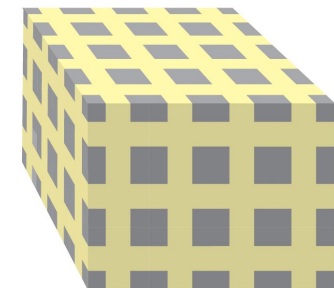
S. John 1987



1D



2D



3D

Photonic Crystal Slabs: layers of 1D or 2D PhCs with complex (or simple) vertical structure

• **Diffraction grating = 1D photonic crystal slab**

Rittenhouse 1786

Fraunhofer 1821

Wood 1902

Lord Rayleigh 1907

Fano 1941

Shestopalov 1970

Neviere 1980

Polaritonic photonic crystals: **Interacting electronic and photonic resonances**

Exciton polaritons in periodic arrays of semiconductor quantum wells
Ivchenko et al, 1994; Kochereshko et al, 1994

Plasmon polaritons in photonic crystals with nanostructured metals
Ebbesen et al, 1998; Linden et al, 2001; Christ et al, 2003
Teperik et al, 2006

Metamaterials – short period photonic crystals with controlled
electromagnetic response
Pendry 2000; Smith et al 2000; Podolskiy, Sarychev, Shalaev 2003; Zhang et al
2005; Pendry et al 2006, Shalaev 2007, Liu & Giessen 2008,2009

Giant magneto-optical effects in plasmon-polaritonic crystals and
metamaterials
Inoue et al (incl. Aktsipetrov, Fedyanin, Murzina), 2006; Belotelov et al, 2007;
Zharov and Kurin, 2007

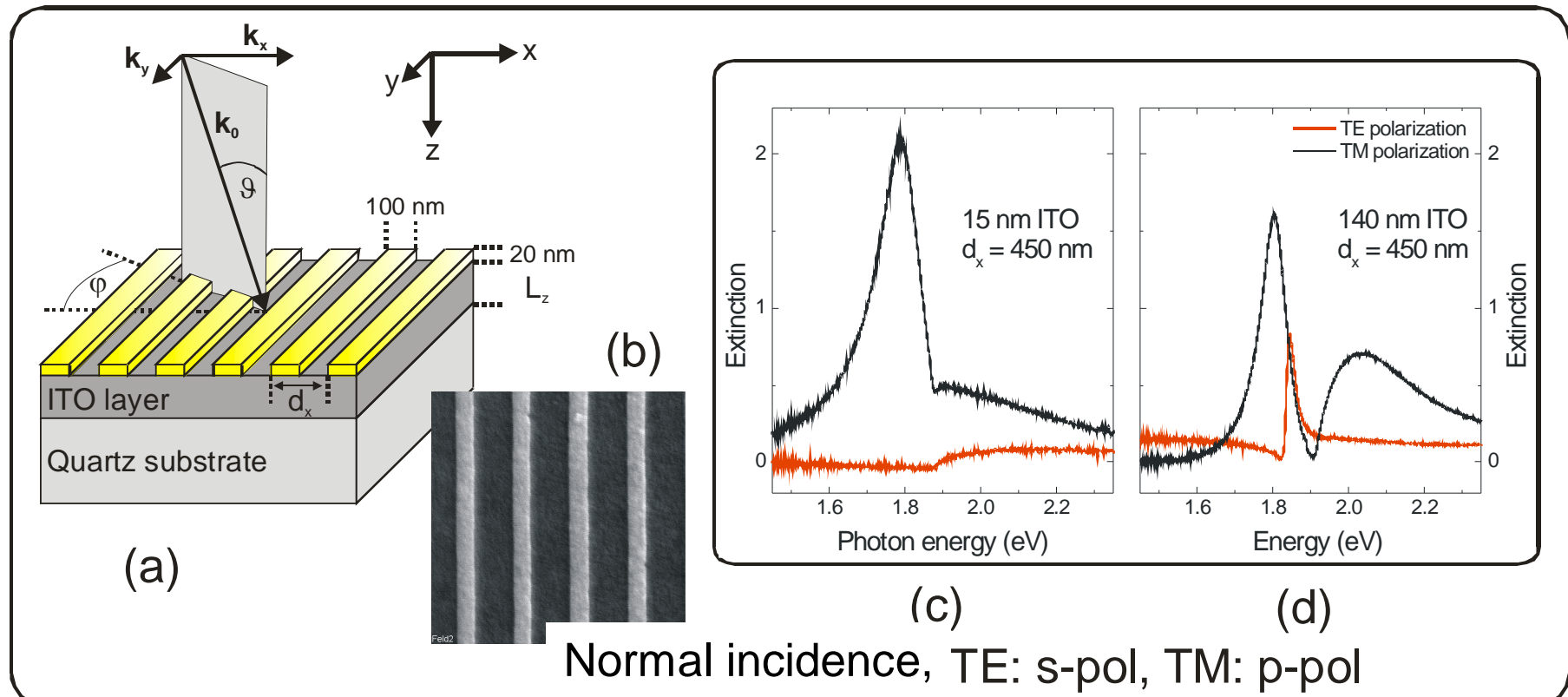
Nanoplasmonics was known and used by mankind for centuries.

However, the recent development of nanotechnology brings new interesting possibilities

OUTLINE

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1D grating of gold nanowires on top of a dielectric waveguide



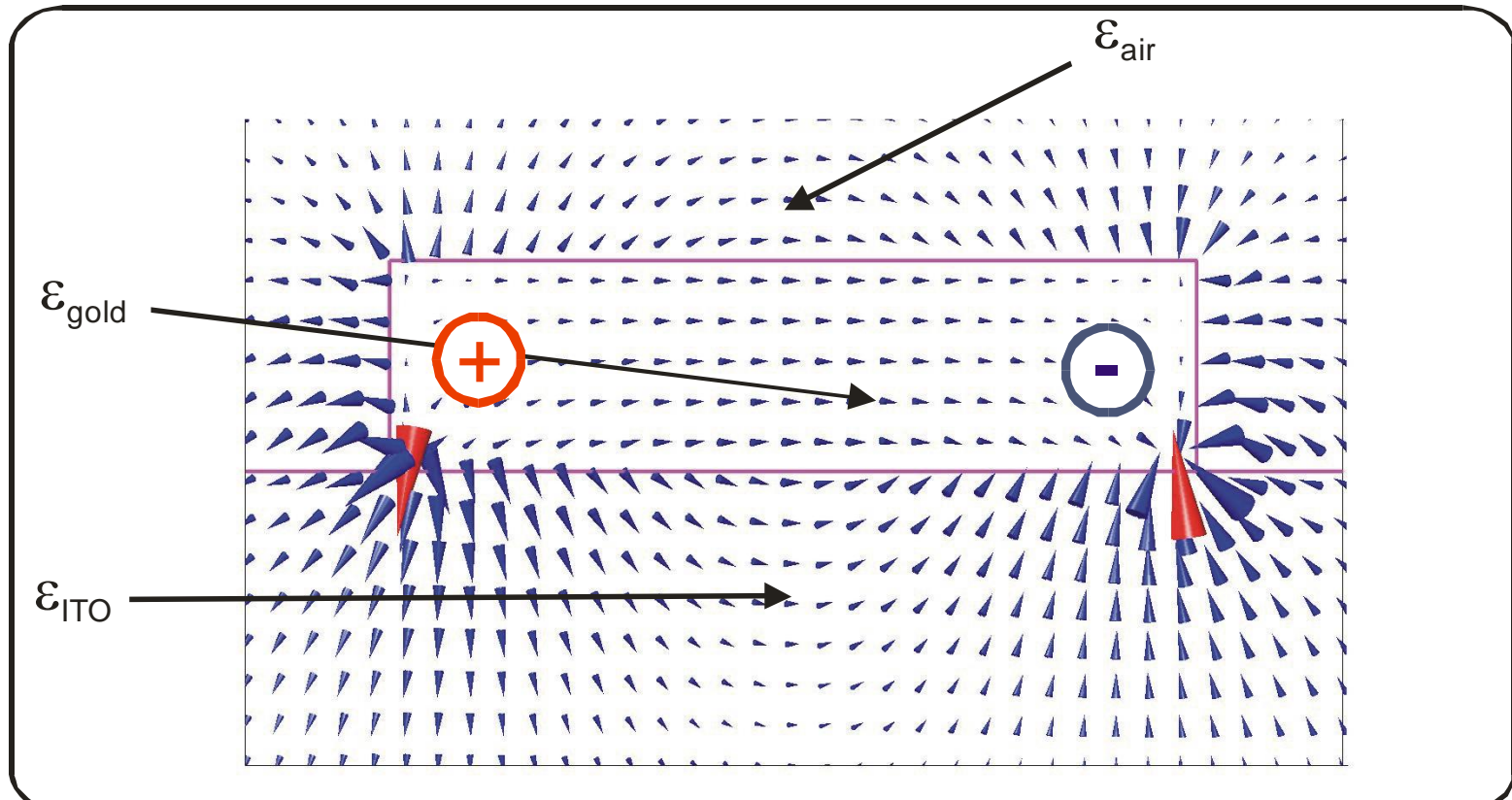
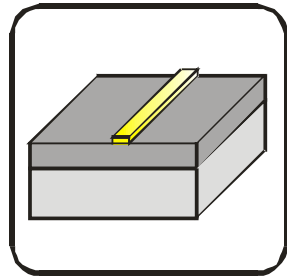
Schematics (a) and real structure (b), extinction ($-\ln T$) spectra in a structure without (c) and with (d) guided modes

A. Christ, S. G. Tikhodeev, N. A. Gippius, J. Kuhl, and H. Gissen, *PRL* **91**, 183901, (2003), *PRB* **70**, 125113 (2004); T. Zentgraf, A. Christ, J. Kuhl, S. G. Tikhodeev, N. A. Gippius, and H. Gissen, *PRB* **73**, 115103 (2006)

Interesting MO effects in case of ferromagnetic wires or waveguide, V. I. Belotelov et al, *Phys. Rev. Lett.* **98**, 077401 (2007)

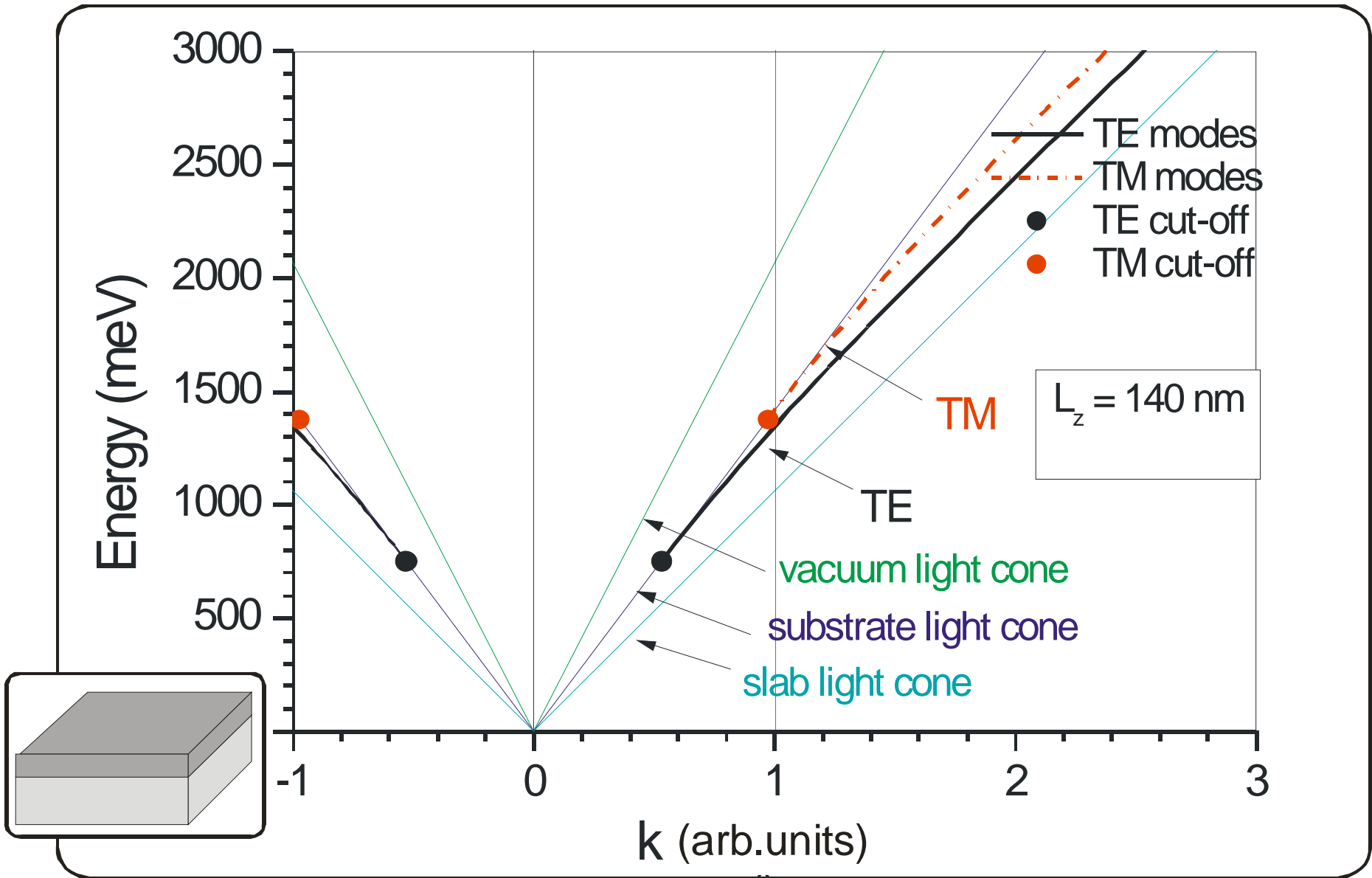
Localized plasmon in metallic nanowire

Electric field normal to the wire axis, resonance frequency depends on the metal nanoparticle shape and ϵ of metal and surrounding

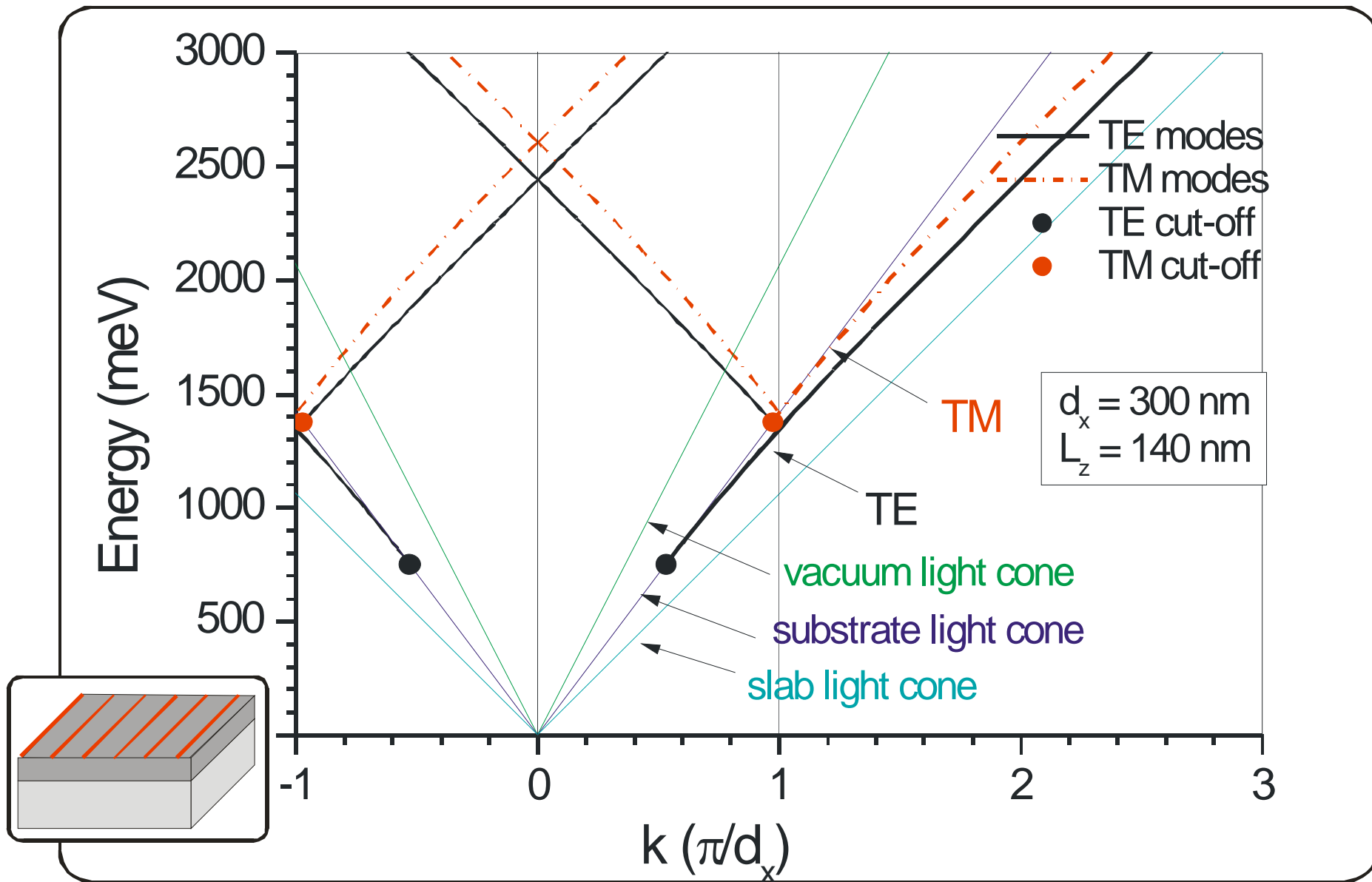


Electric field inside is modified

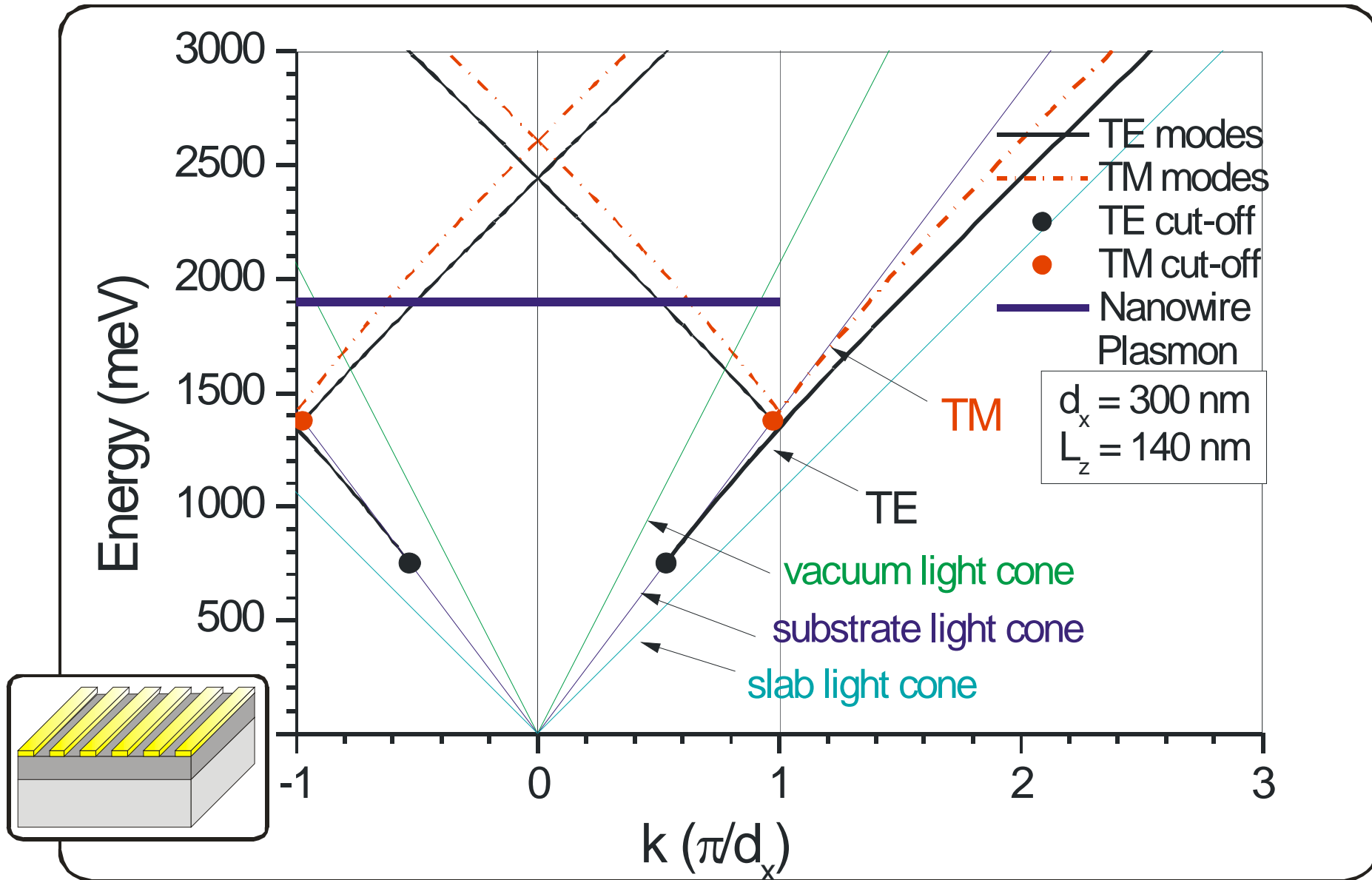
$$F_{\alpha}(\omega) \equiv \frac{E_{\alpha,\text{in}}}{E_{\alpha,\text{out}}} = \frac{1}{1 + N_{\alpha} [(\epsilon_m(\omega)/\epsilon_{\text{out}} - 1)]}, \alpha = a, b, c,$$



TE(0) and TM(0) modes in waveguide



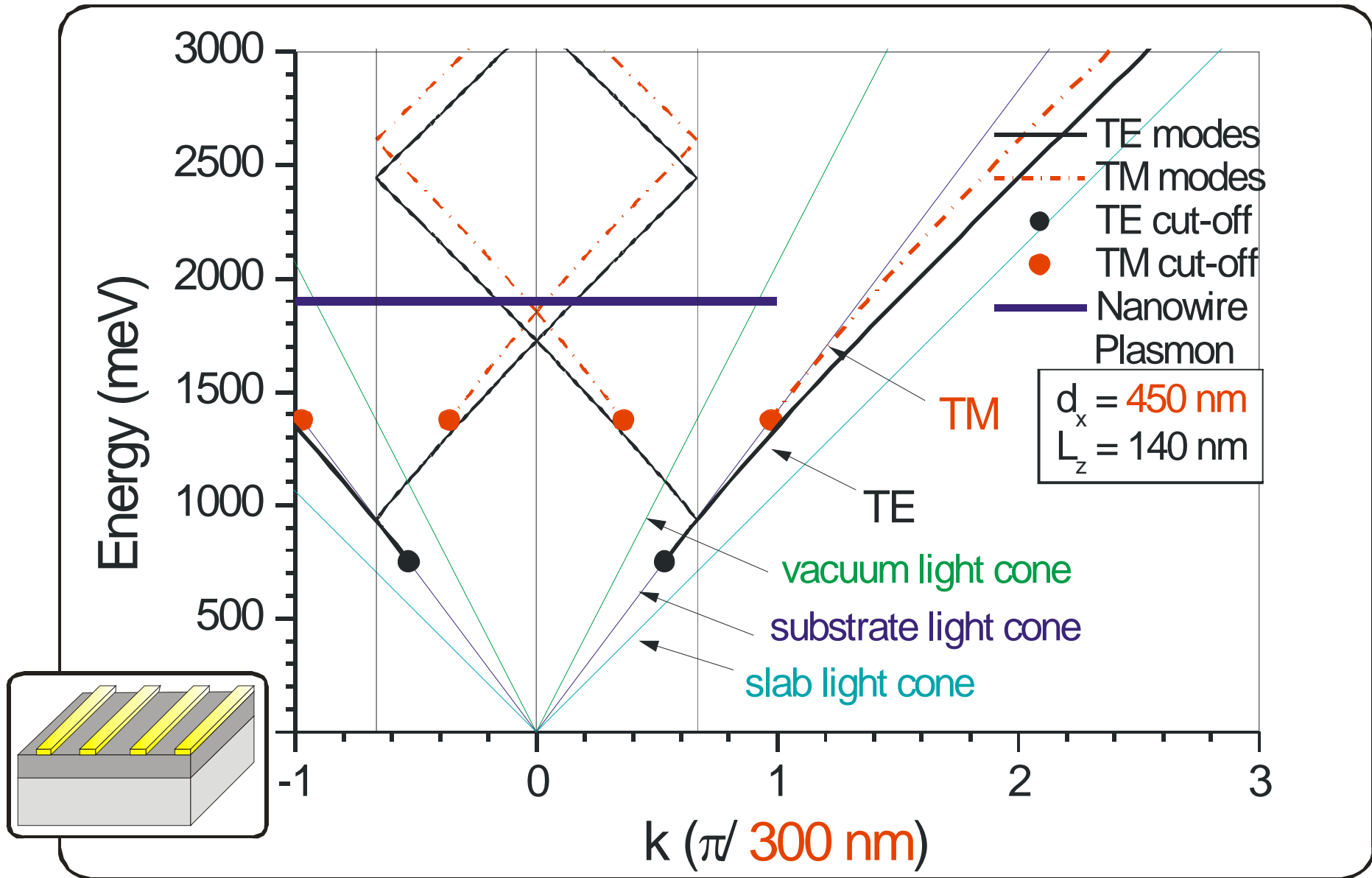
TE(0) and TM(0) modes in waveguide
 folded into 1BZ of the grating, period 300 nm



TE(0) and TM(0) modes in waveguide

folded into 1BZ of the grating, period 300 nm

Blue horizontal line is the localized plasmon on a single wire



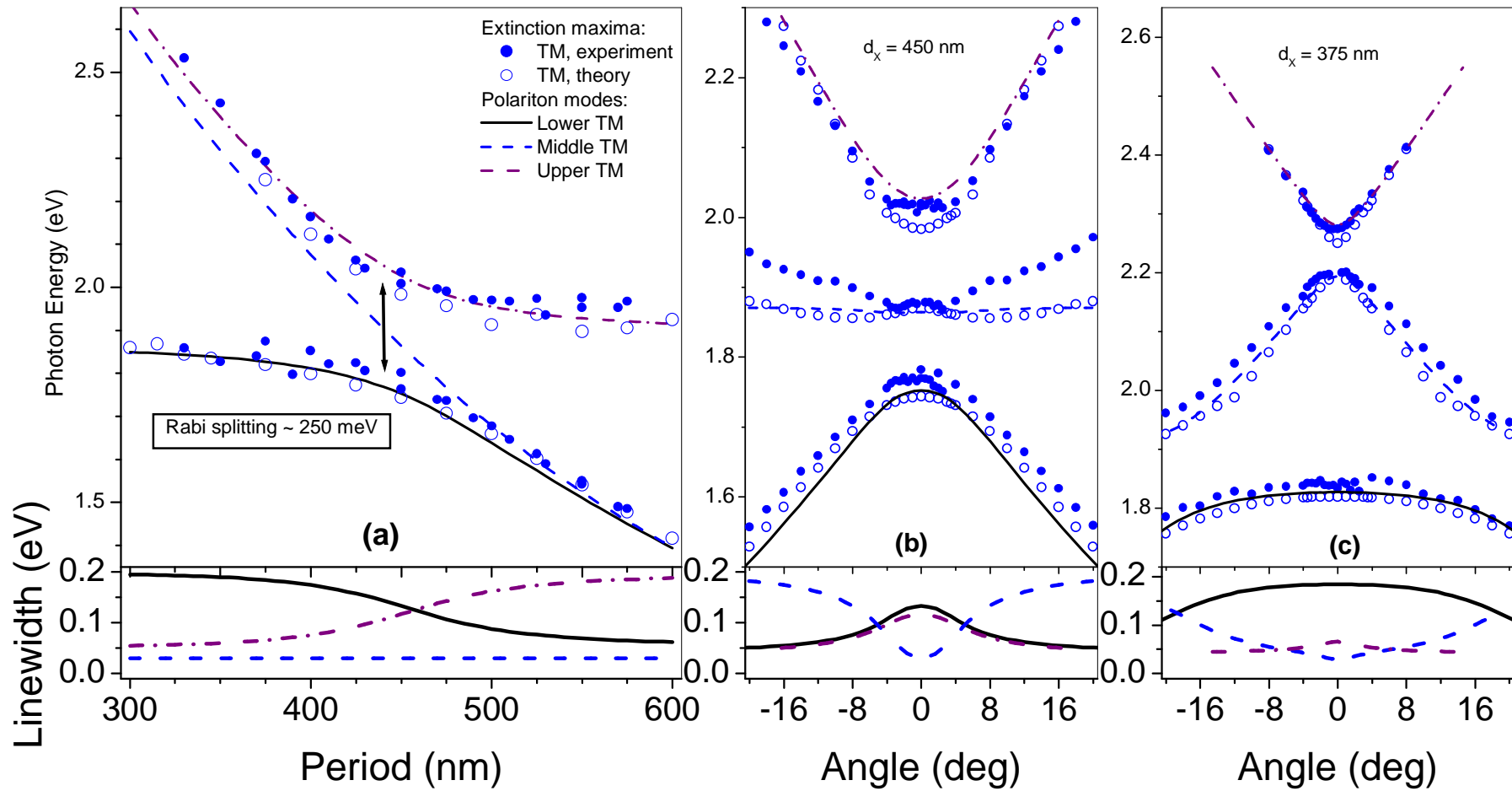
TE(0) and TM(0) modes in waveguide

folded into 1BZ of the grating, period 450 nm

Blue horizontal line is the localized plasmon on a single wire

Waveguide-plasmon polariton

A. Christ, S.G.Tikhodeev, N.A.Gippius, J.Kuhl, and H. Giesen,
B. PRL **91**, 183901 (2003)

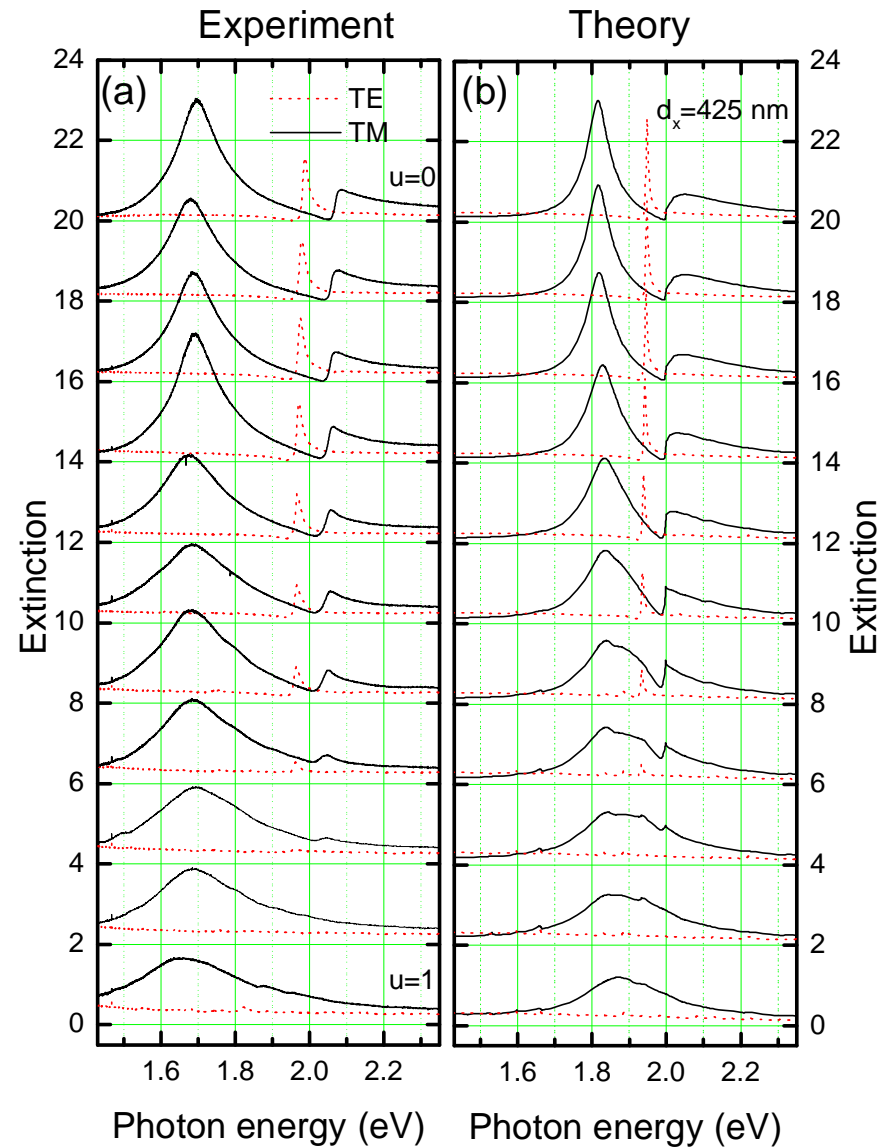
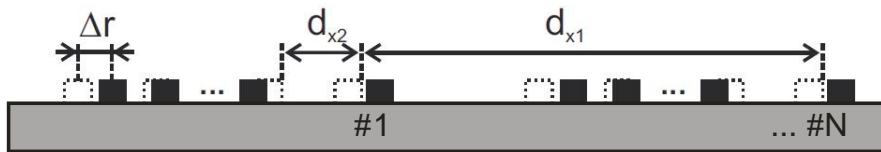


Extinction maxima: calculated (filled symbols) and calculated (empty symbols); lines are the polariton model

Introducing disorder kills the waveguide-plasmon polariton

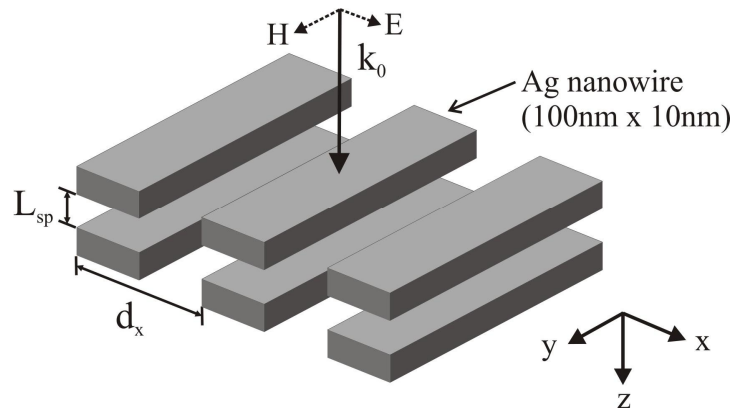
$$\Delta r_i = u d_{x2} \text{rnd}(i)$$

$$0 < \text{rnd}(i) < 0.5, \quad 1 < i < N$$

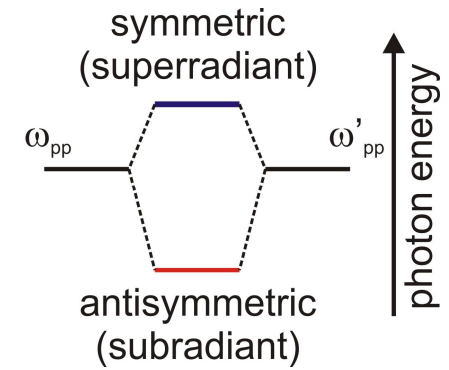


Plasmonic metamaterials

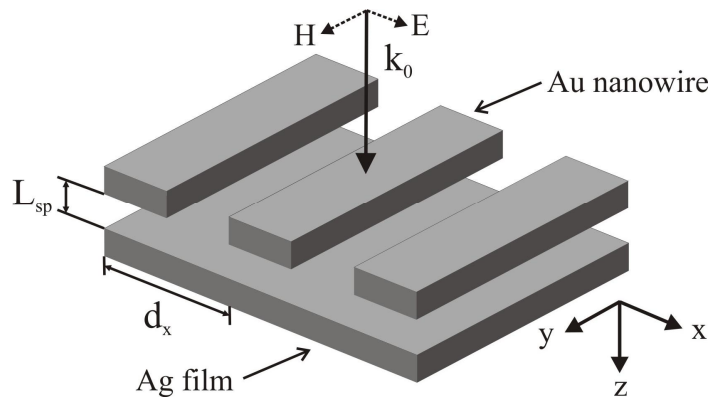
Nanostructuring \Rightarrow modification of the optical response



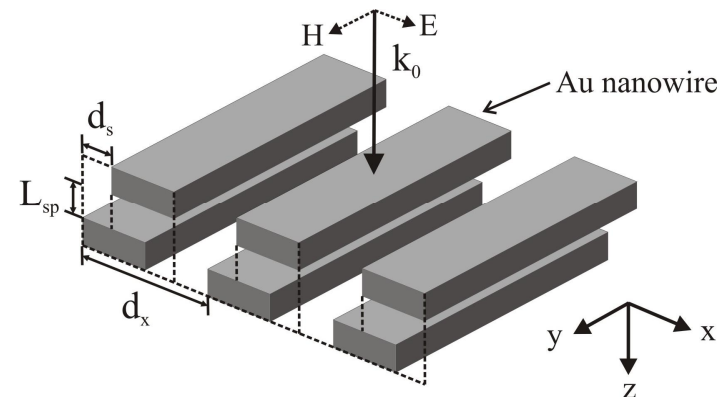
Localized plasmons hybridization



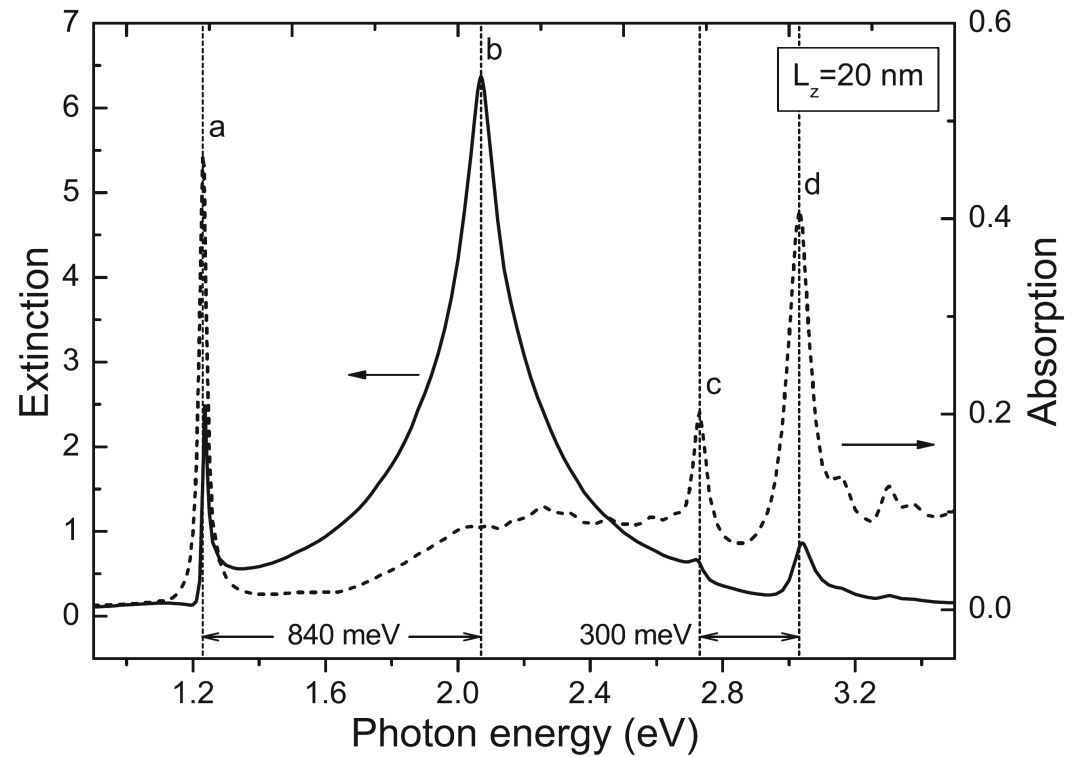
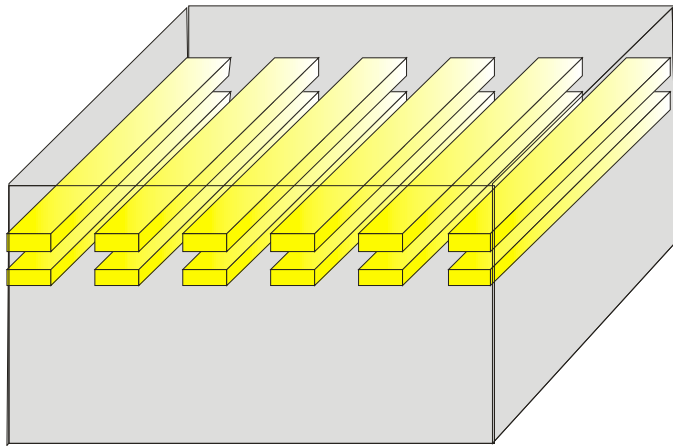
Interaction with image charges



Near-field coupling

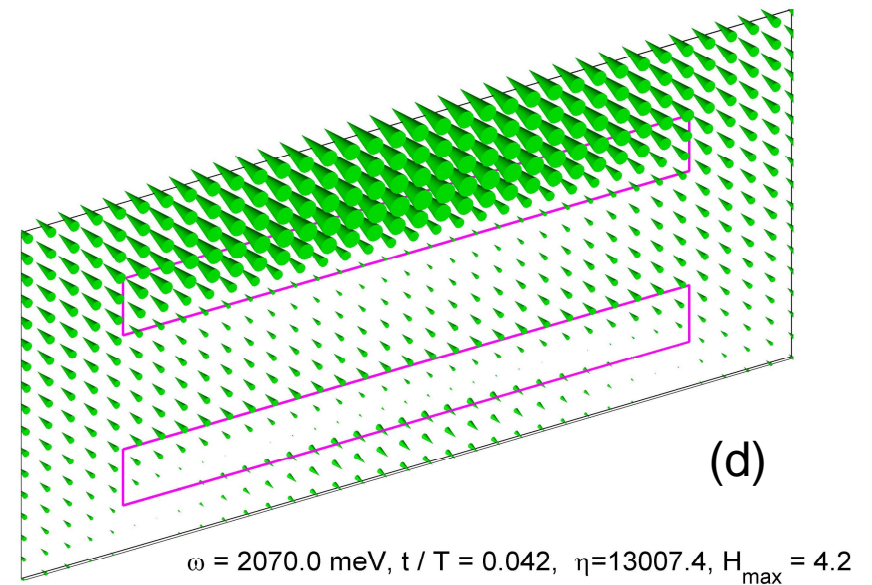
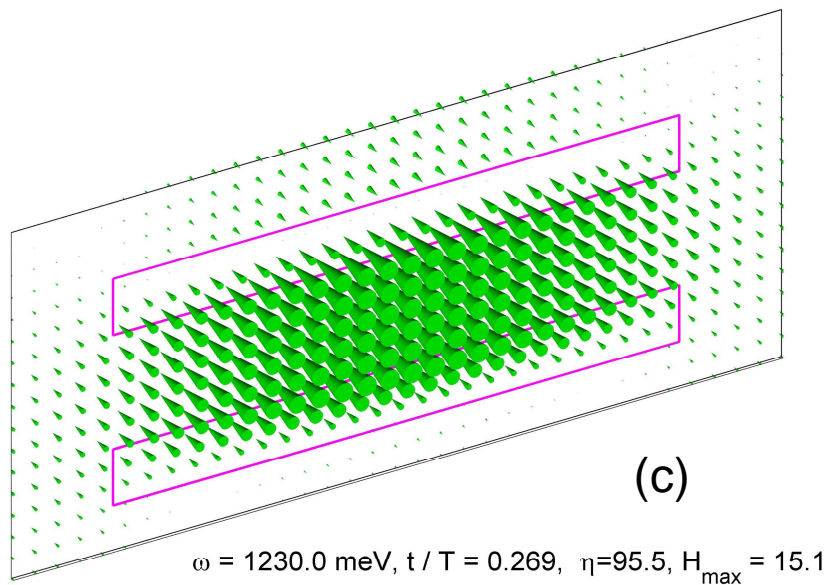
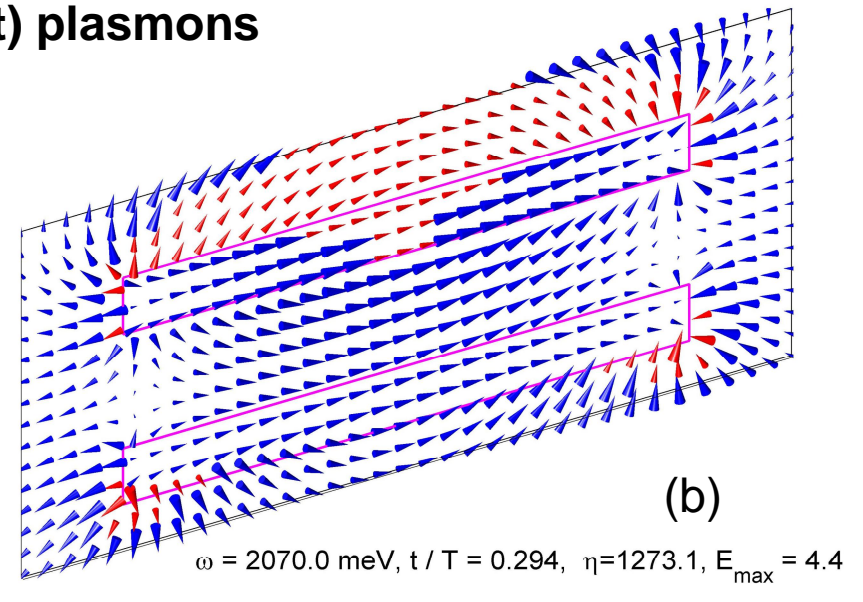
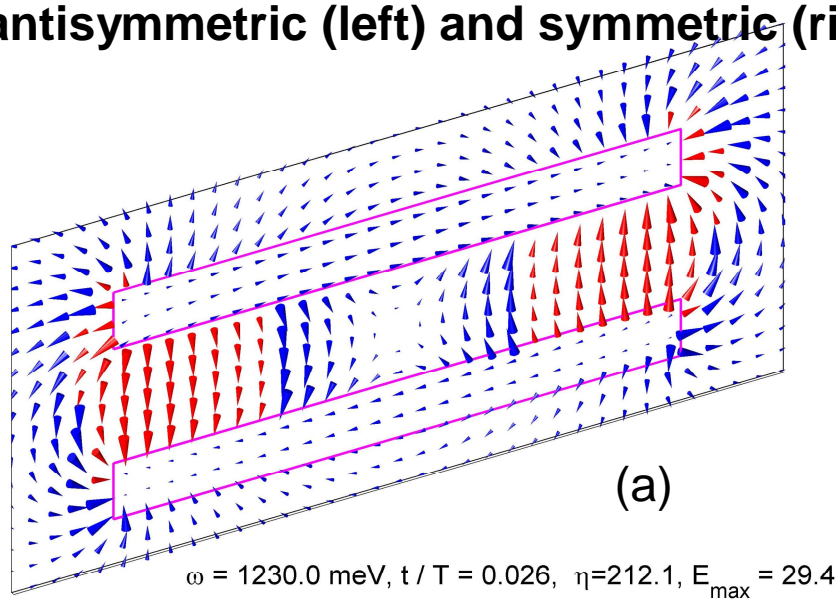


Plasmons in pairs of metallic nanowires: symmetric and antisymmetric



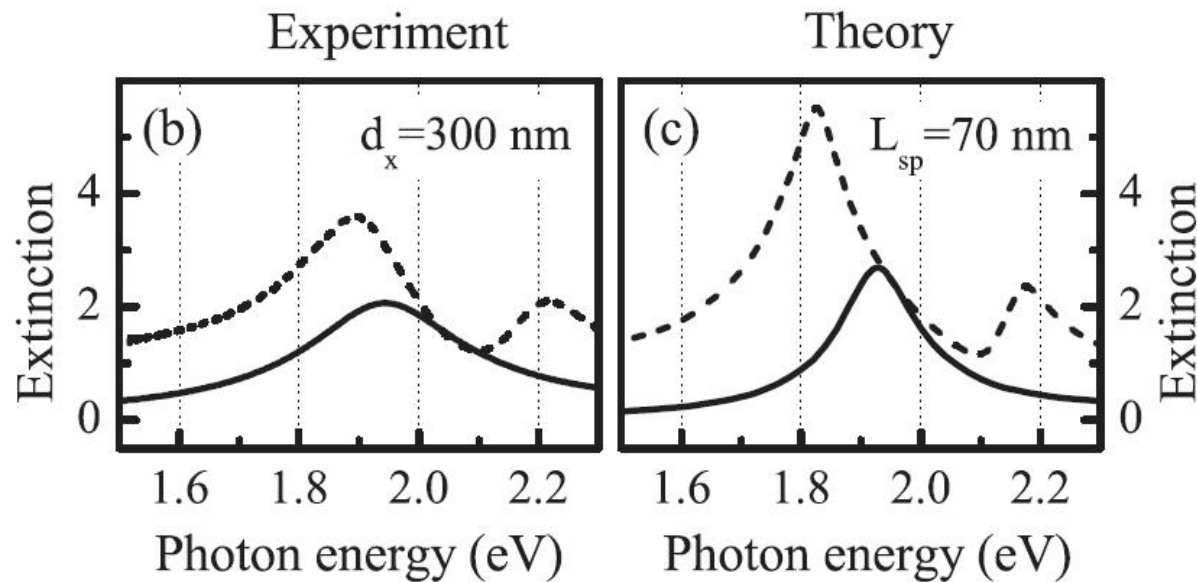
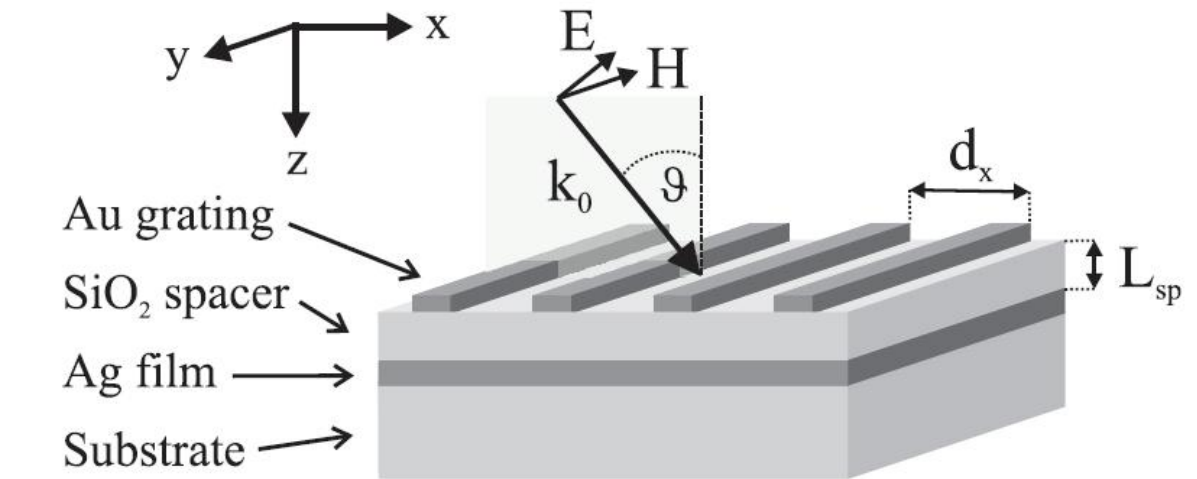
Extinction ($-\ln T$) and absorption calculated for 20-nm vertical distance between gratings

Electric (top) and magnetic (bottom) near field distributions in antisymmetric (left) and symmetric (right) plasmons



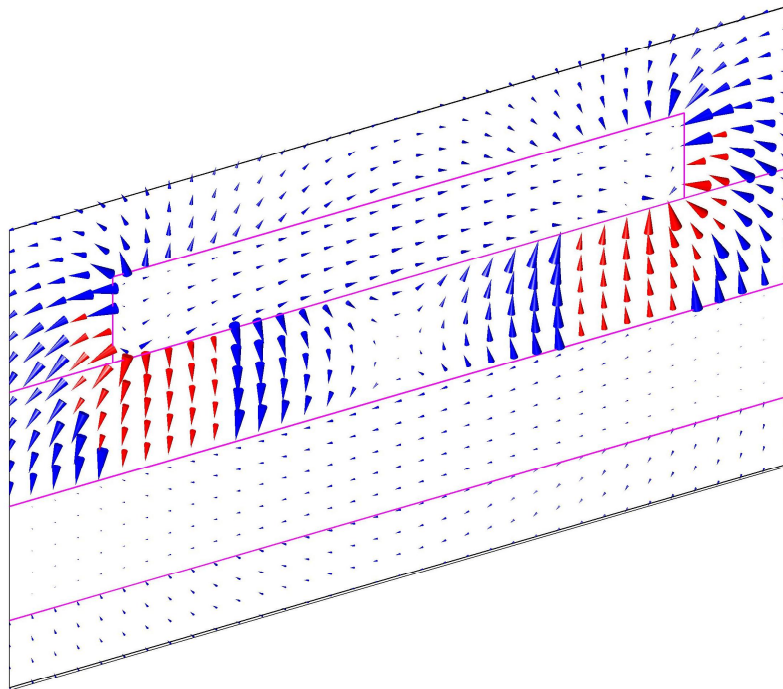
1D grating of metal nanowires near metal film: interacting localized and surface plasmons

A. Christ, T. Zentgraf, S. G. Tikhodeev, N. A. Gippius, J. Kuhl, and H. Giessen, *Phys.Rev. B* **74**,155435 (2006)

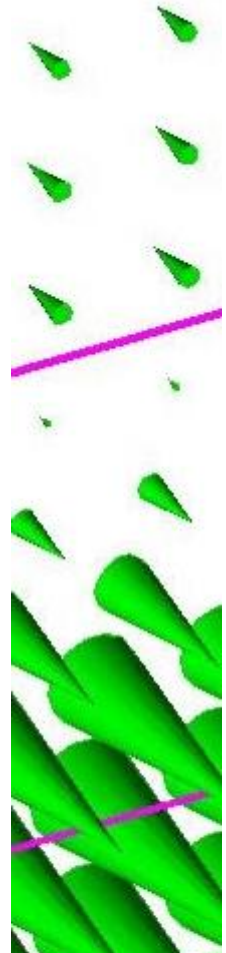
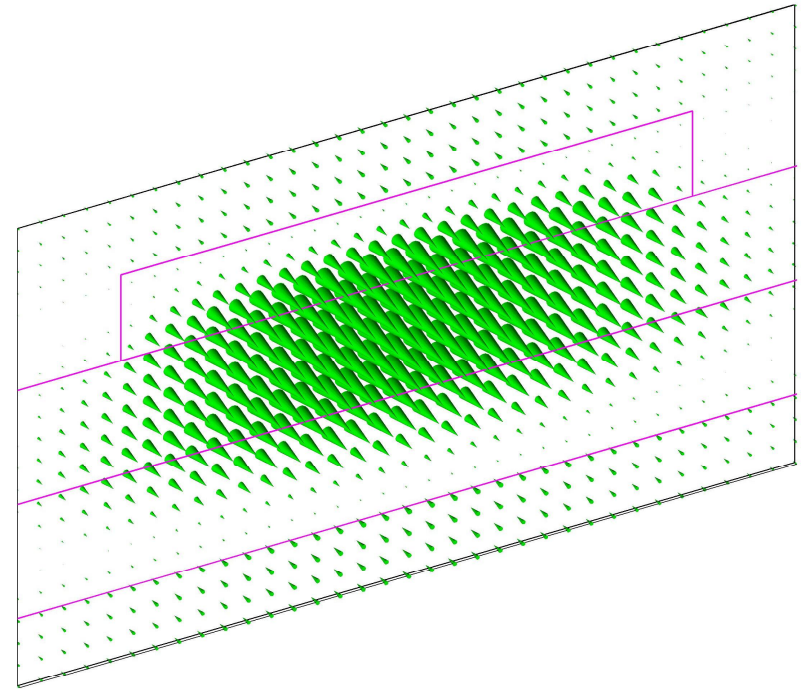


Near field distributions of the electric (left) and magnetic (right) fields near the low-energy resonance

$\omega = 1408.0 \text{ meV}, t / T = 0.179, \eta = 1511.8, E_{\text{max}} = 24.9$



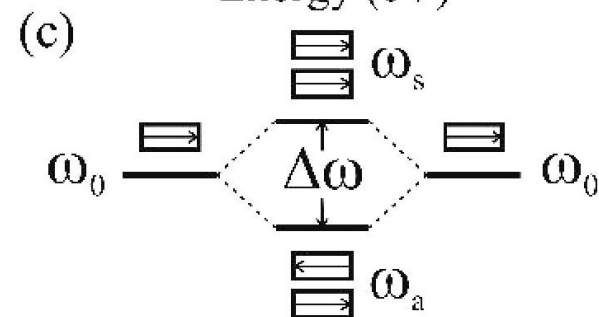
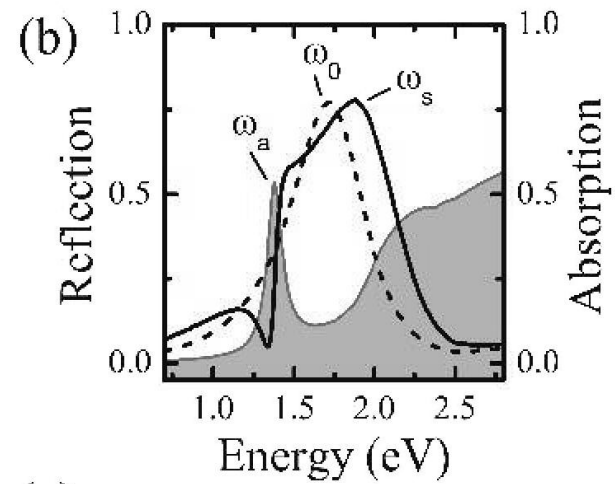
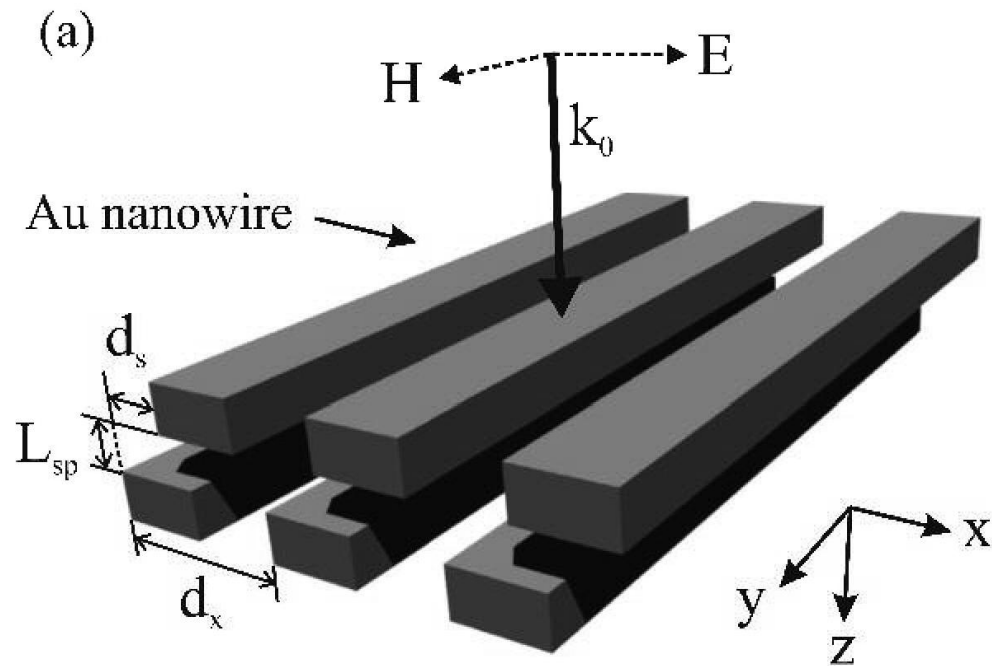
$\omega = 1408.0 \text{ meV}, t / T = -0.080, \eta = 97.7, H_{\text{max}} = 10.8$



Strong near field modification: diamagnetism at optical frequencies (effective $\mu \neq 1$ and possibility of $\mu < 0$)

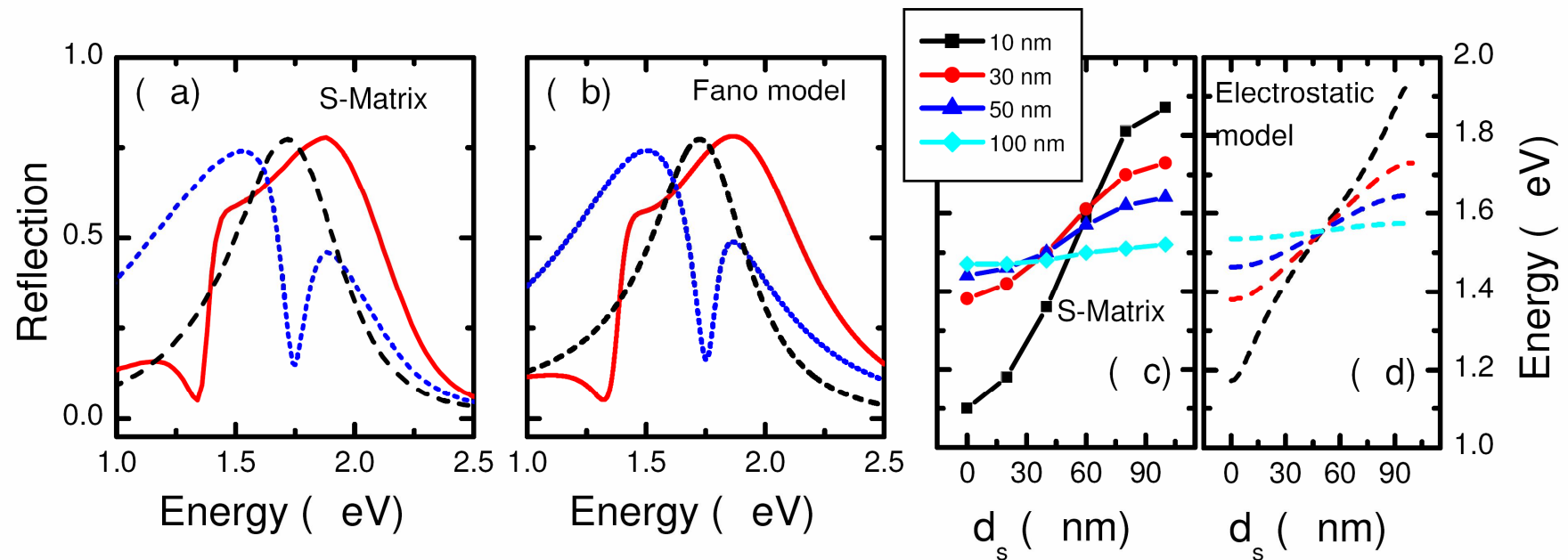
Symmetry-breaking allows to control the localized plasmons properties

A.Christ, O.J.F.Martin, Y. Ekinici, N. A. Gippius, and S. G. Tikhodeev, *Nano Lett* **8**, 2171 (2008)



Symmetry-breaking allows to control the localized plasmons properties

A.Christ, O.J.F.Martin, Y. Ekinci, N. A. Gippius, and S. G. Tikhodeev, *Nano Lett* **8**, 2171 (2008)



a,b: **Red lines: wires are aligned vertically; Blue lines: top wires are in the middle between the bottom wires.**

Narrow dip is the antisymmetric plasmon, broad maximum is the symmetric plasmon.
c,d: position of the antisymmetric plasmon as a function of the horizontal displacement

OUTLINE

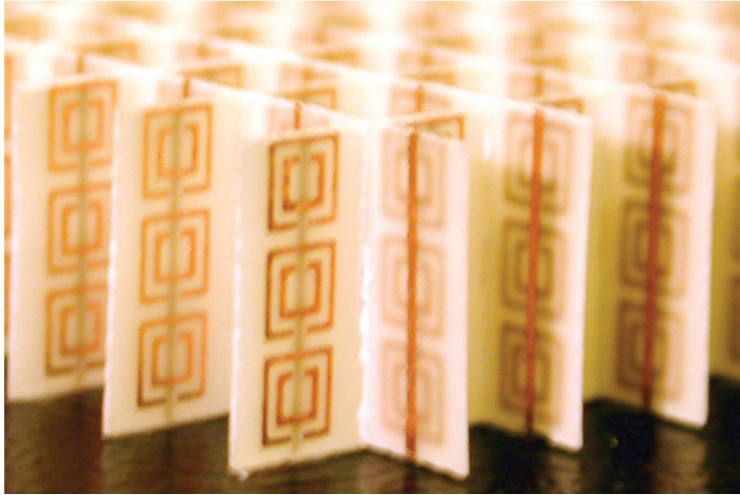
1. Introduction: localised and surface plasmons, nanoplasmonics; polaritonic photonic crystals
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3. **Metamaterials based on polaritonic photonic crystals: unit-cell-shape-controlled effective electromagnetic response**
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Metamaterials: nanostructured artificial materials, e.g. short-period plasmon-polaritonic crystals, period $\ll \lambda$.

Goal: to control the electromagnetic response by nanostructuring (incl. unit cell shape) and material choice (metal/dielectric, metal/semiconductor)

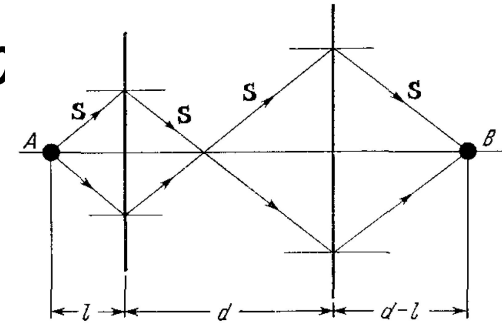
Motivation: engineering of new unusual optical systems (Veselago lens, cloaking, transformation optics, structures with strong optical chirality)

Metamaterials



D. R. Smith et al 2000;
R. A. Shelby et al, 2001
 $n(\omega) < 0$, $\omega \sim 10$ ГГц

Shuster 1909
Мандельштам 1940
Веселаго 1967
Pendry 2000
Smith et al 2000
Shelby et al 2001



Metamaterials are artificial electromagnetic (multi-) functional materials engineered to satisfy the prescribed requirements. **The prefix meta means after, beyond and also of a higher kind.** Superior properties as compared to what can be found in nature are often underlying in the spelling of metamaterial. These new properties emerge due to specific interactions with electromagnetic fields or due to external electrical control.

<http://www.metamorphose-eu.org>, December 2006.

Effective ε and μ do not describe fully the optical response of a general asymmetric and chiral media.

Chirality connects \mathbf{D} with \mathbf{H} and \mathbf{B} with \mathbf{E} directly:

$$\mathbf{D} = \hat{\varepsilon}\mathbf{E} + \hat{\chi}^{EH}\mathbf{H}, \quad \mathbf{B} = \hat{\mu}\mathbf{H} + \hat{\chi}^{HE}\mathbf{E}$$

In a more symmetric non-chiral media: **bianisotropy**. For example, if there is a preferential direction, \mathbf{n} , then

$$\mathbf{D} = \hat{\varepsilon}\mathbf{E} + i(\mathbf{n} \times \beta^{EH}\mathbf{H}), \quad \mathbf{B} = \hat{\mu}\mathbf{H} + i(\mathbf{n} \times \beta^{HE}\mathbf{E})$$

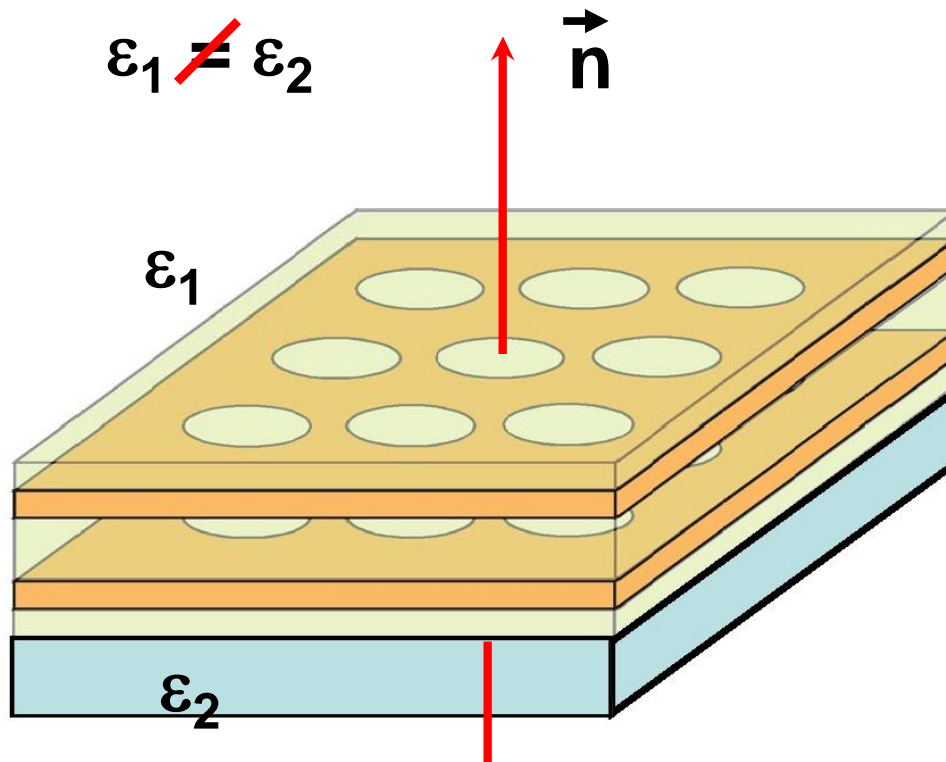
I. V. Lindell, A. H. Sihvola, S. A. Tretyakov, and A. J. Viitanen, *Electromagnetic Waves in Chiral and Bi-Isotropic Media* (Artech House, Boston, 1994).

In the metamaterials: **shape-induced chirality and bianisotropy which appear to be nonlocal**

Even if the shape itself is symmetric, the metamaterial slab is bianisotropic in case of the **asymmetric dielectric background**

Example: **bi-fishnet** structure on substrate

S. Zhang et al, *PRL* **95**, 137404 (2005)



Passive (absorbing) media is left-handed if

$$\text{Im}(n) > 0, \text{Re}(n) < 0$$

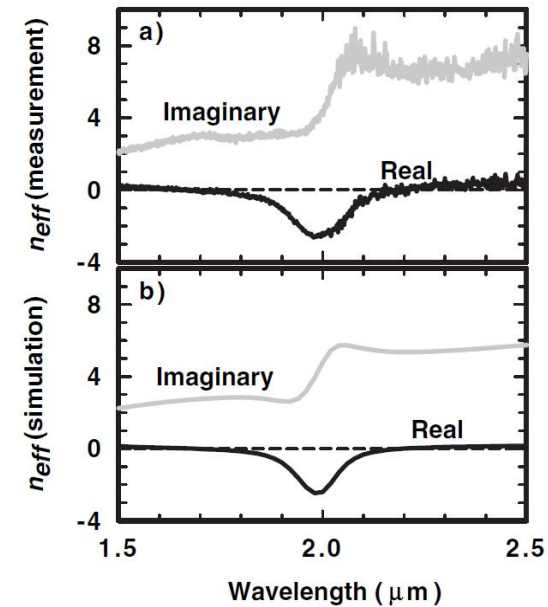
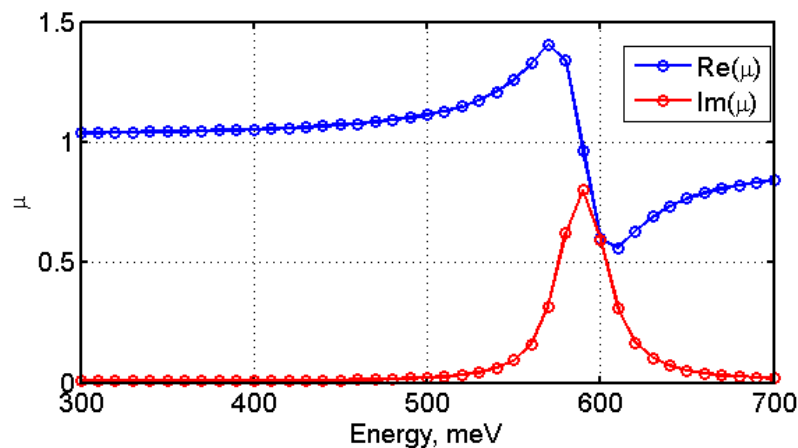
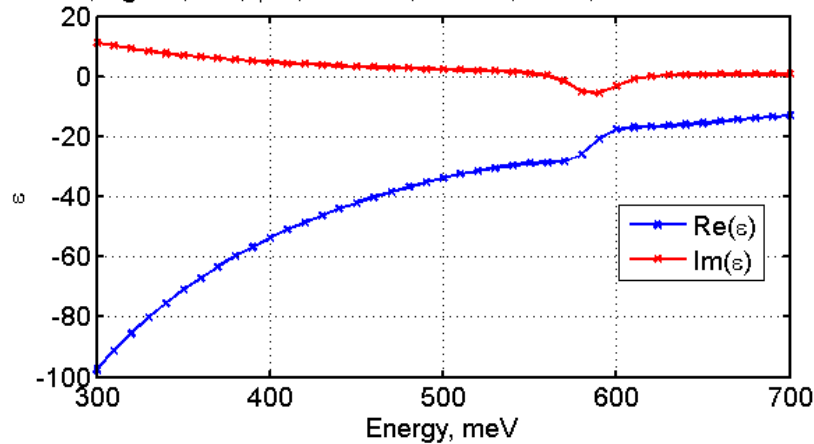


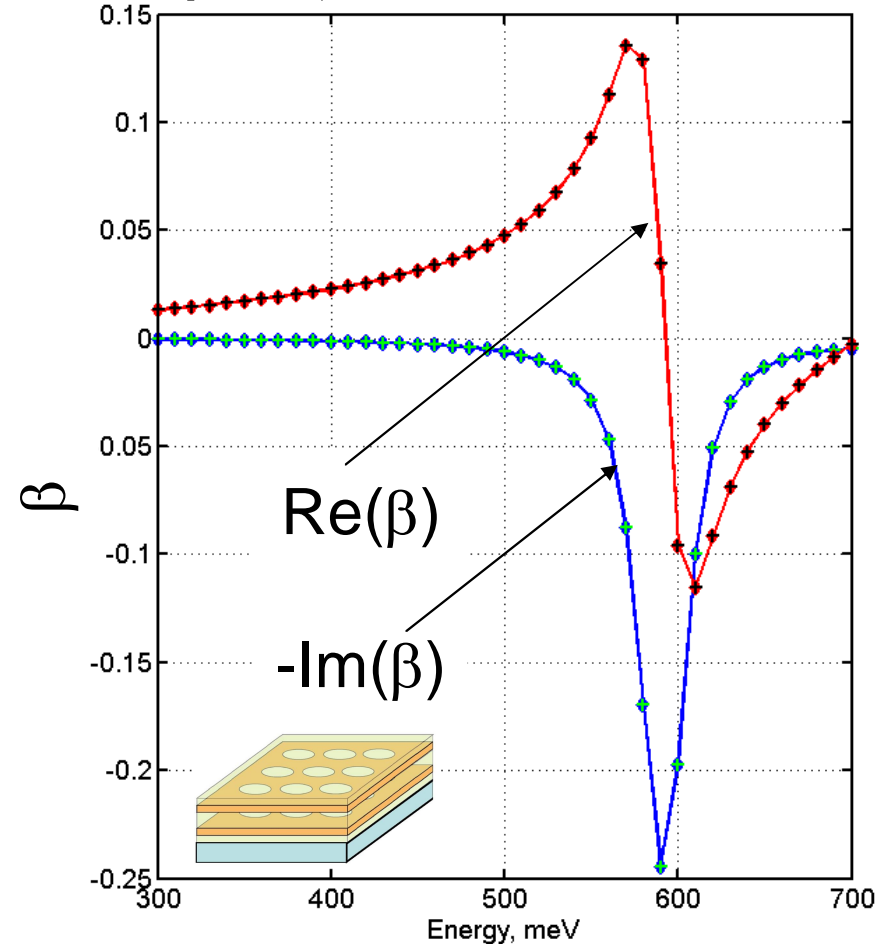
FIG. 5. The effective refractive index extracted from measurement (a) and from modeling (b) showing a resonance and a negative real part at $\sim 2.0 \mu\text{m}$.

The retrieved permittivity, permeability, and bianisotropy

Side2, Ng=57, $\theta=0$, $\phi=0$, $d=0.838$, $H=0.18$, NL=2, 05-Nov-2008 21:02:25



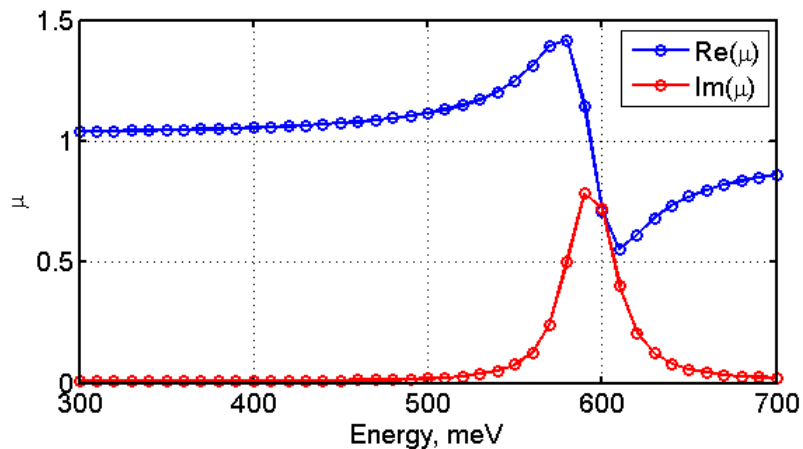
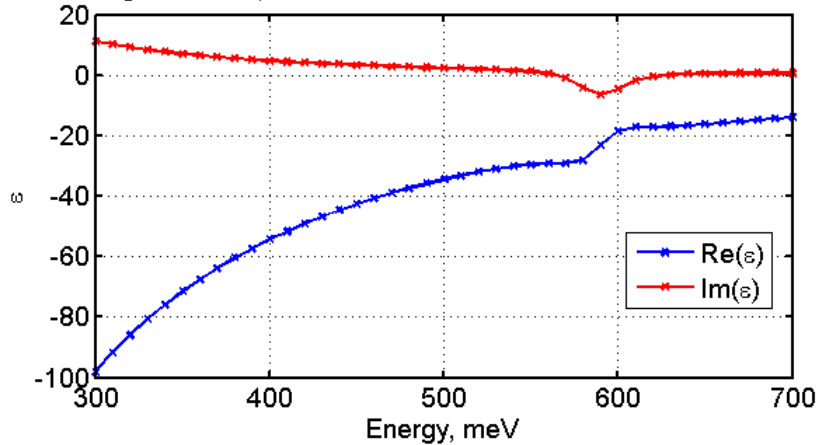
Side2, Ng=57, $\theta=0$, $\phi=0$, $d=0.838$, $H=0.18$, NL=2, 05-Nov-2008 21:02:25



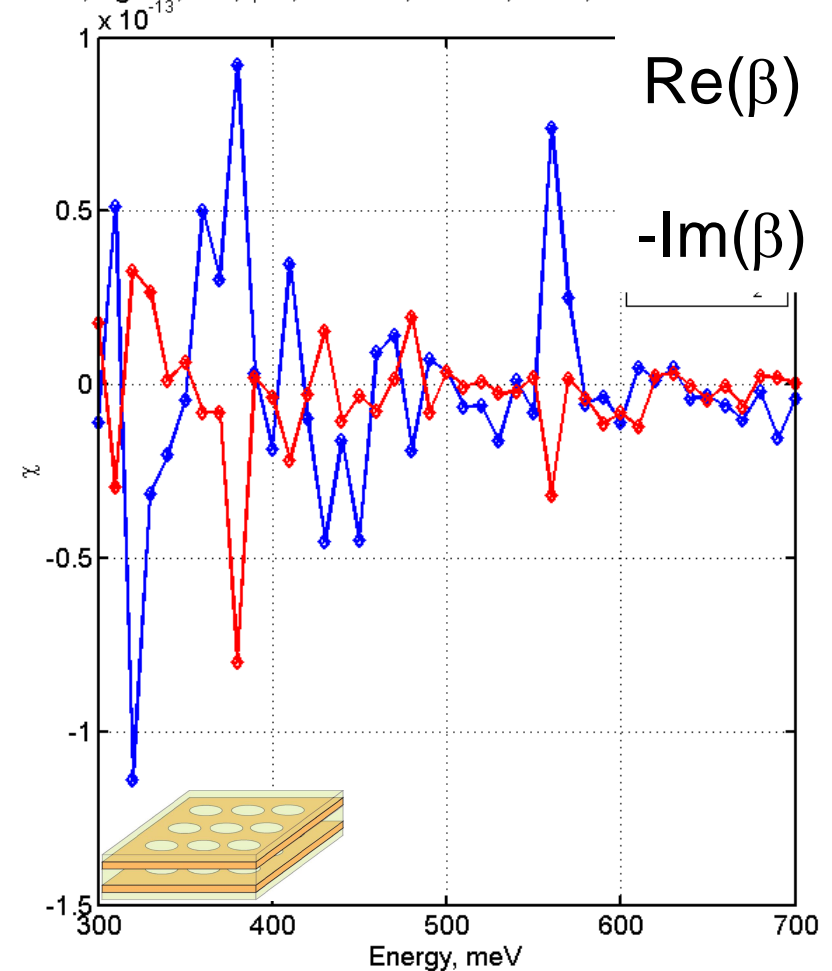
The retrieved bianisotropy is not small near the magnetic resonance
BUT: it disappears if the dielectric surrounding becomes symmetric

The retrieved permittivity, permeability, and **no** bianisotropy in a symmetric background

Side2, Ng=57, $\theta=0$, $\phi=0$, $d=0.838$, $H=0.18$, NL=2, 05-Nov-2008 23:02:08

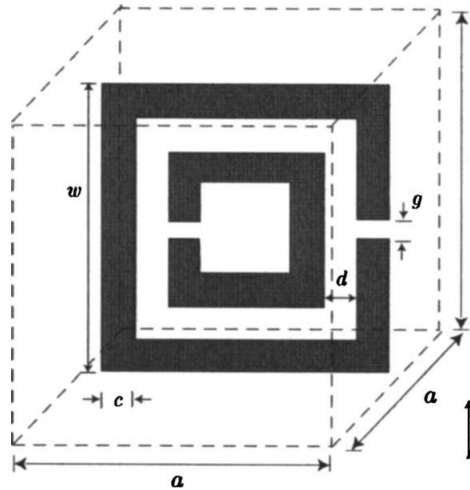


Side2, Ng=57, $\theta=0$, $\phi=0$, $d=0.838$, $H=0.18$, NL=2, 05-Nov-2008 23:02:08

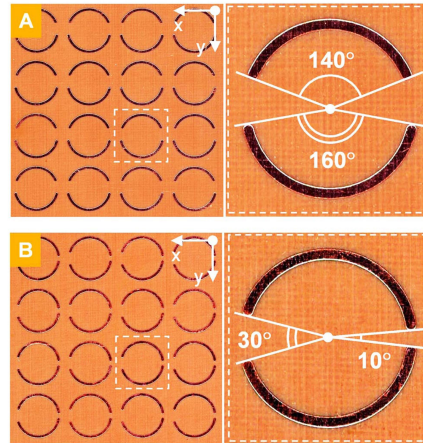


The retrieved bianisotropy is not small near the magnetic resonance
BUT: it disappears if the dielectric surrounding becomes symmetric
A direct demonstration of the effective response NONLOCALITY

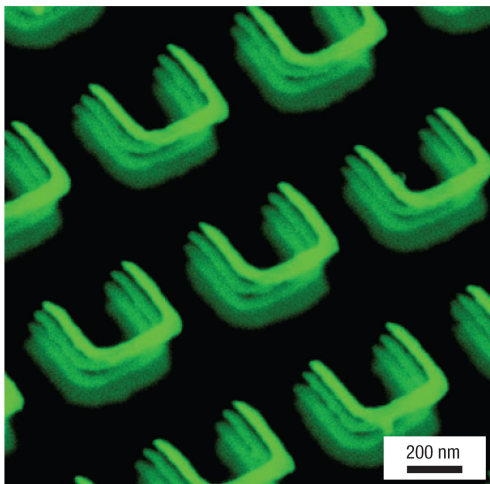
Examples of bi-anisotropic non-chiral metamaterials



X. Chen et al, PRE, 2005

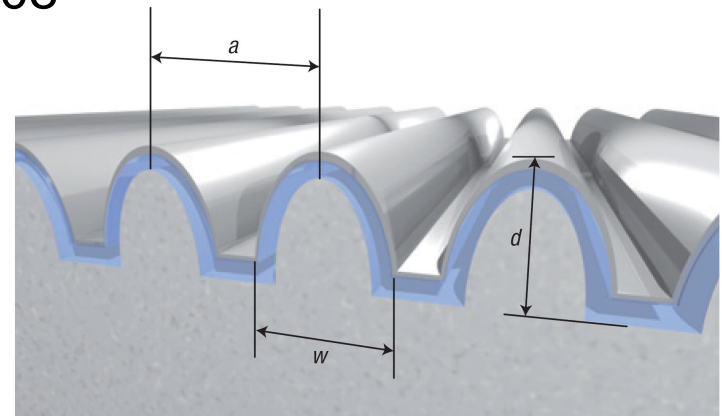


Fedotov et al, PRL, 2007

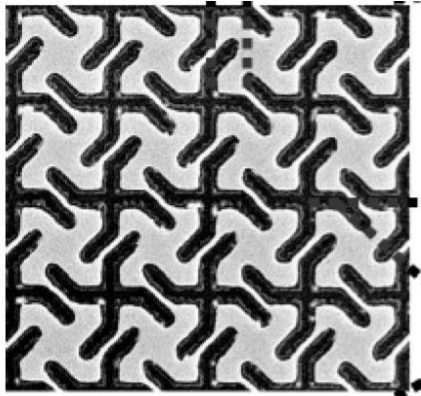


Na Liu et al, Nat. Mater. 2008

M.S. Rill et al, Nat. Mater. 2008

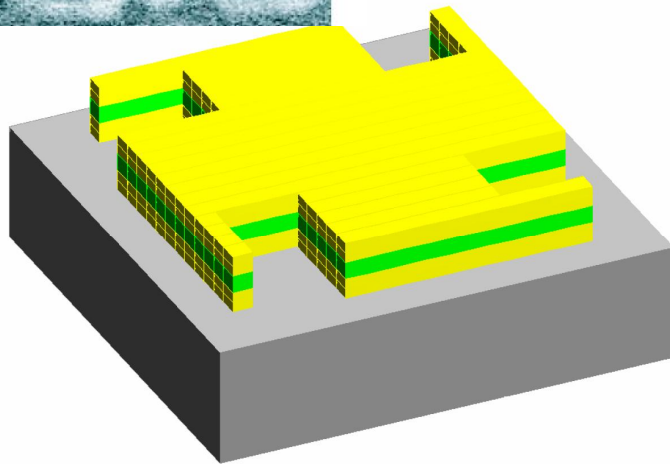
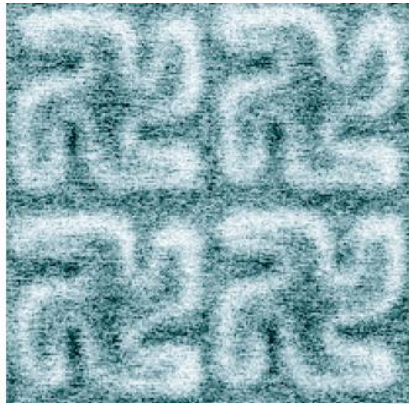


Examples of chiral metamaterials

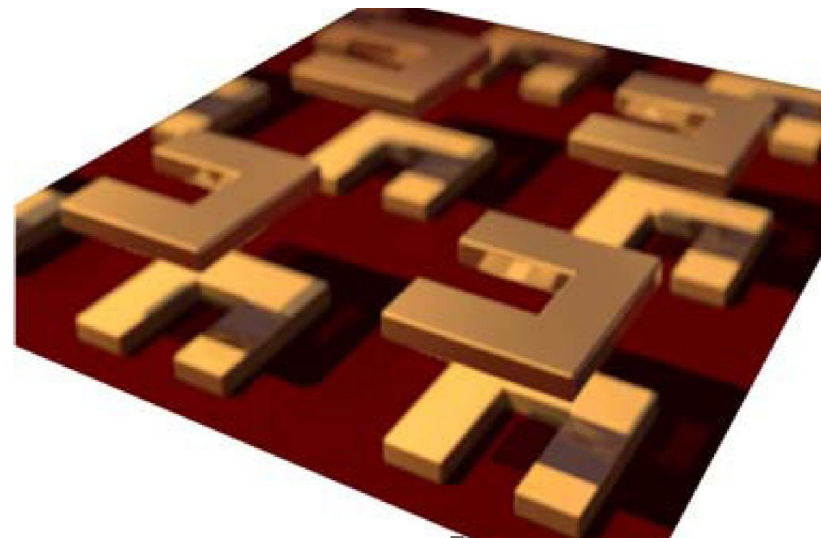


A. Papakostas et al, PRL, 2003

M. Kuwata-Gonokami et al, PRL, 2005



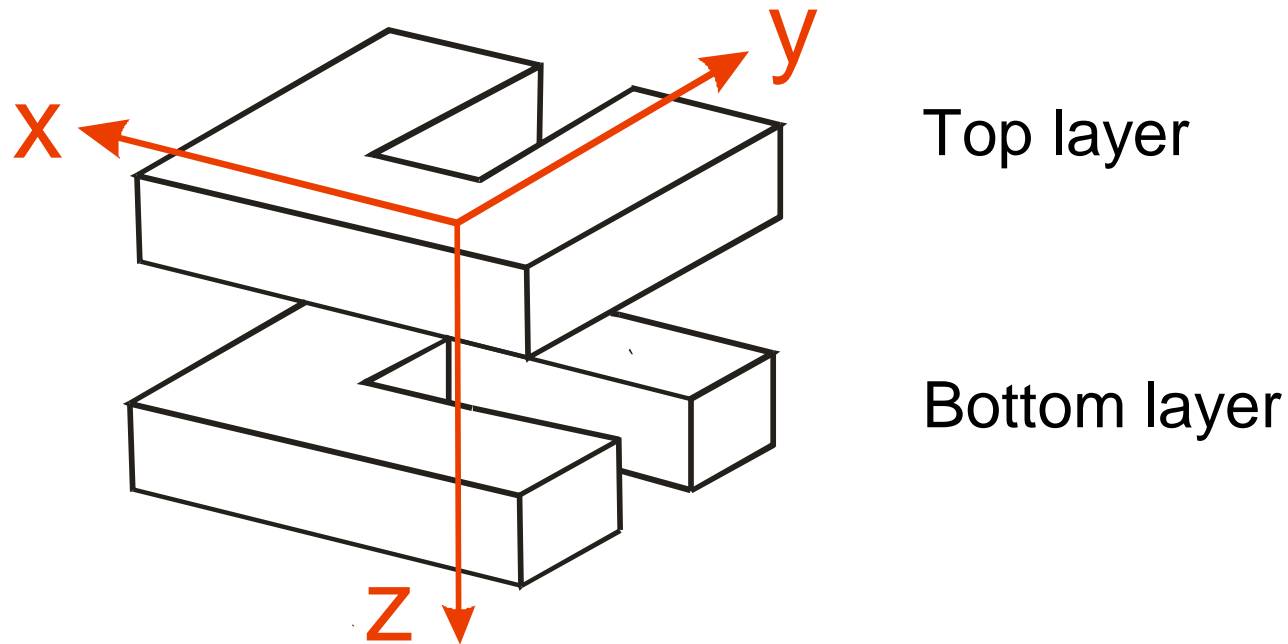
D.-H. Kwon et al, Opt Express, 2008



«Стереометаматериал»

Na Liu et al, Nat. Photonics 2009

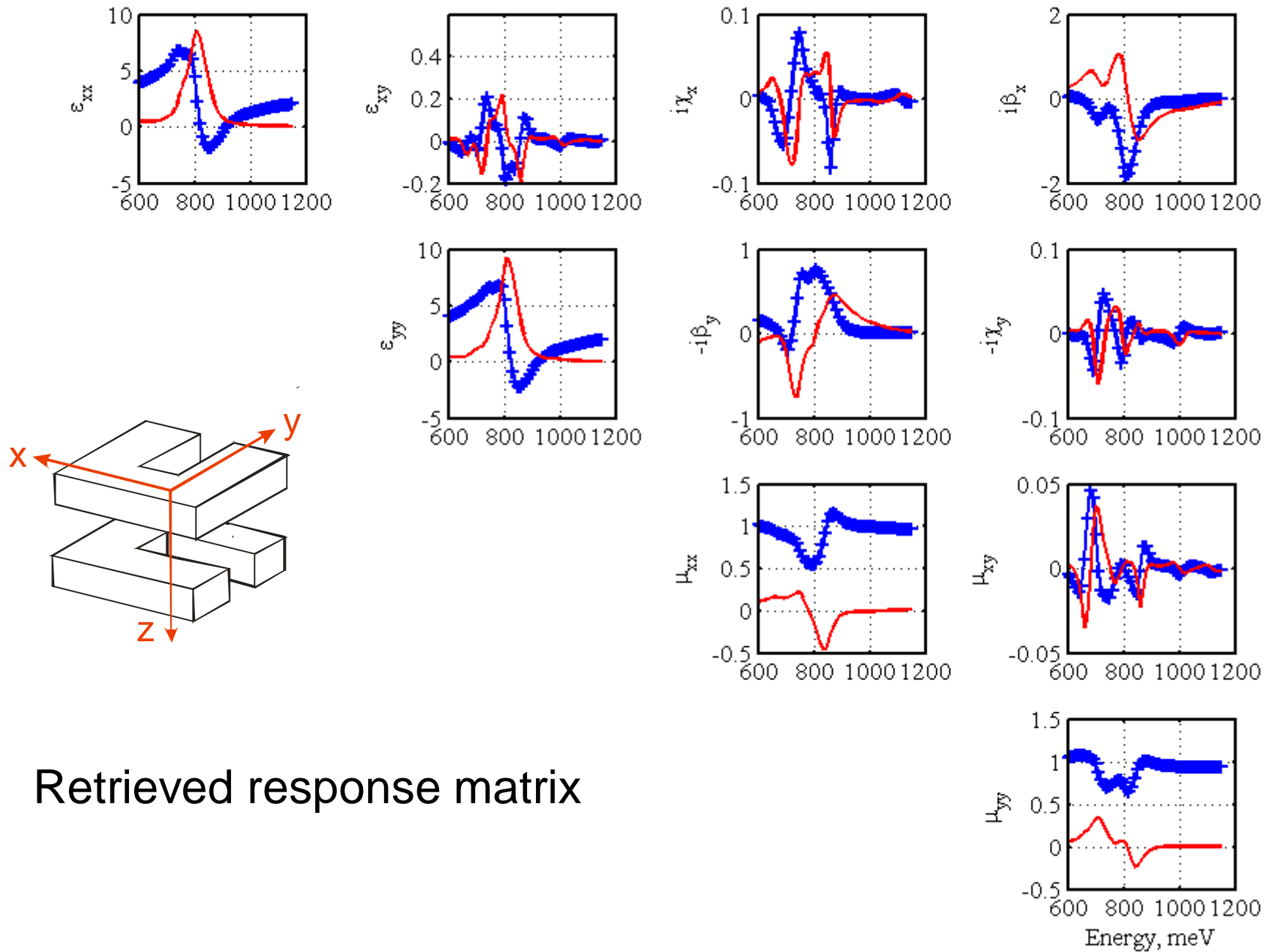
Example: 90 deg rotated pair of SRRs layers



Unit cell of 2D periodic (in XY plane) metamaterial with square lattice

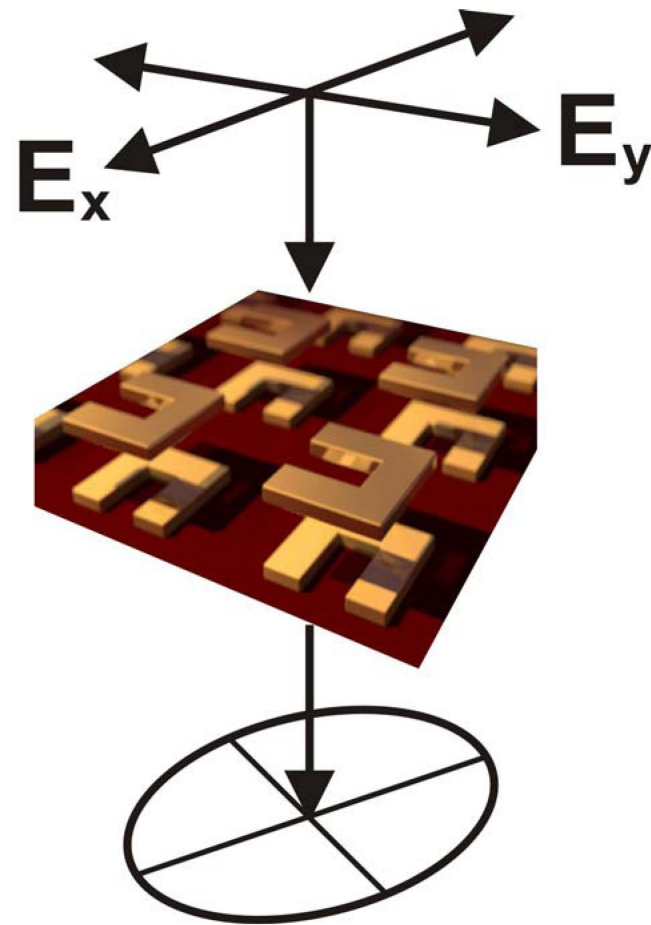
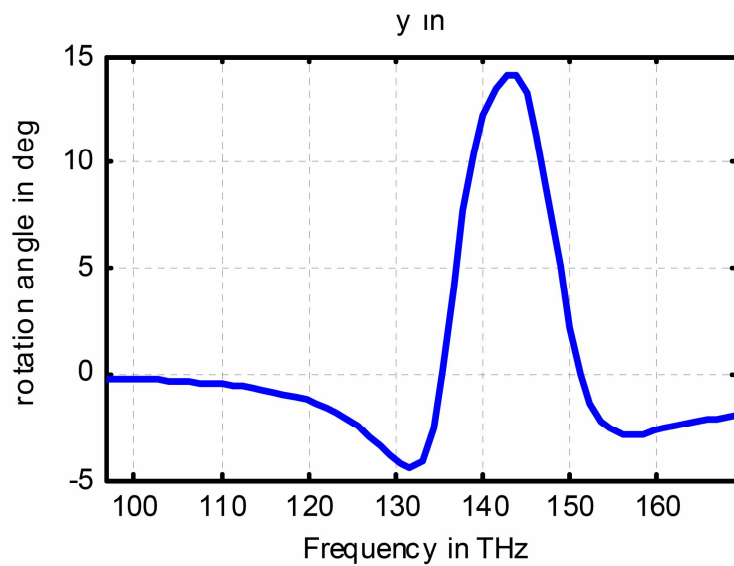
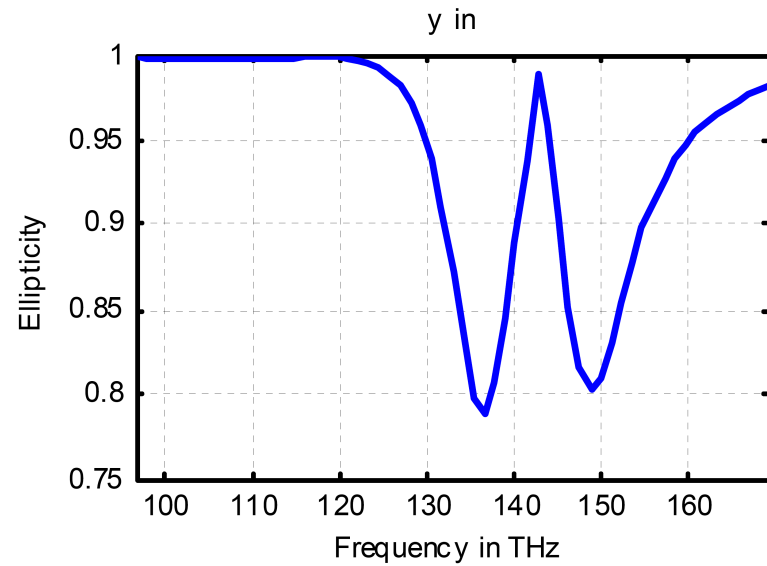
“Stereometamaterials”

Na Liu, Hui Liu, and Harald Giessen, 2009



Retrieved response matrix

Giant natural optical activity



Conclusions

- Nanoplasmonics was known and used by mankind for centuries. **However, the recent development of nanotechnology brings new interesting possibilities**
- **Polaritonic photonic crystals** are systems with interacting electronic and photonic resonances. **New possibilities to control the optical properties and local electromagnetic fields**
- 3. As **metamaterials** (in short-period case) they demonstrate negative refraction behavior (in far field) and giant chiral properties.
- 4. Important property of the electromagnetic response is its **nonlocality**