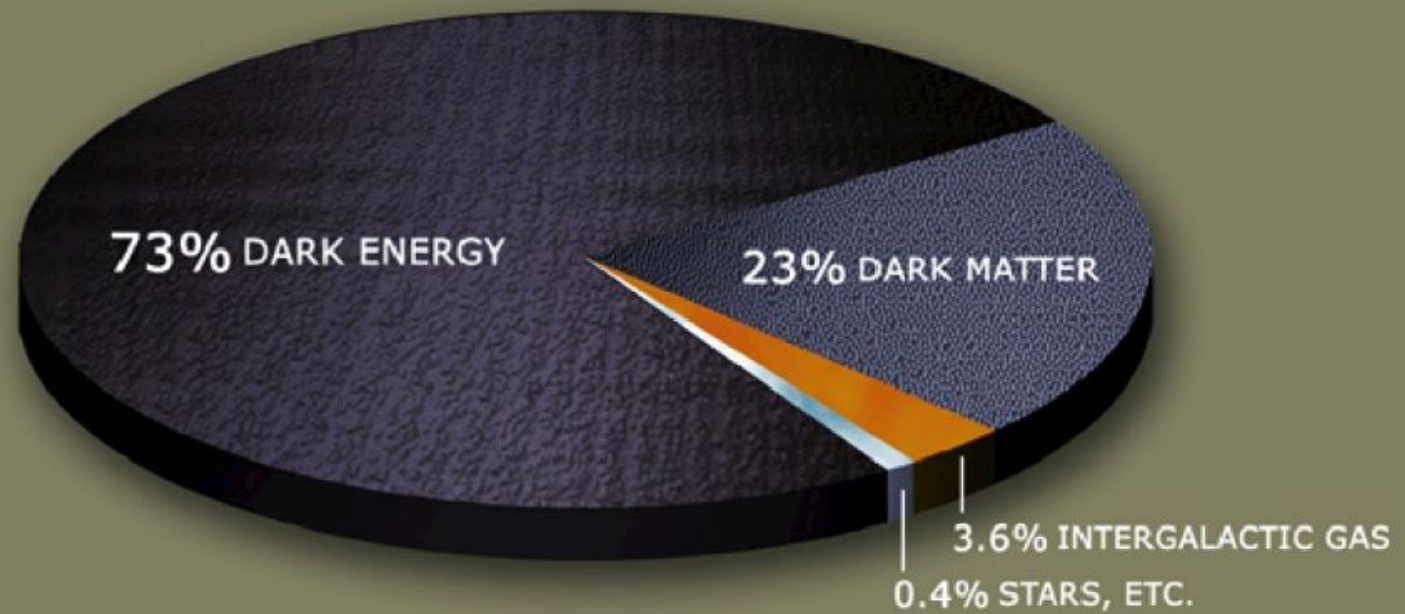


**Axion Astronomy:
Prospects of Searching for Axions by
Astronomical and Experimental Methods.**

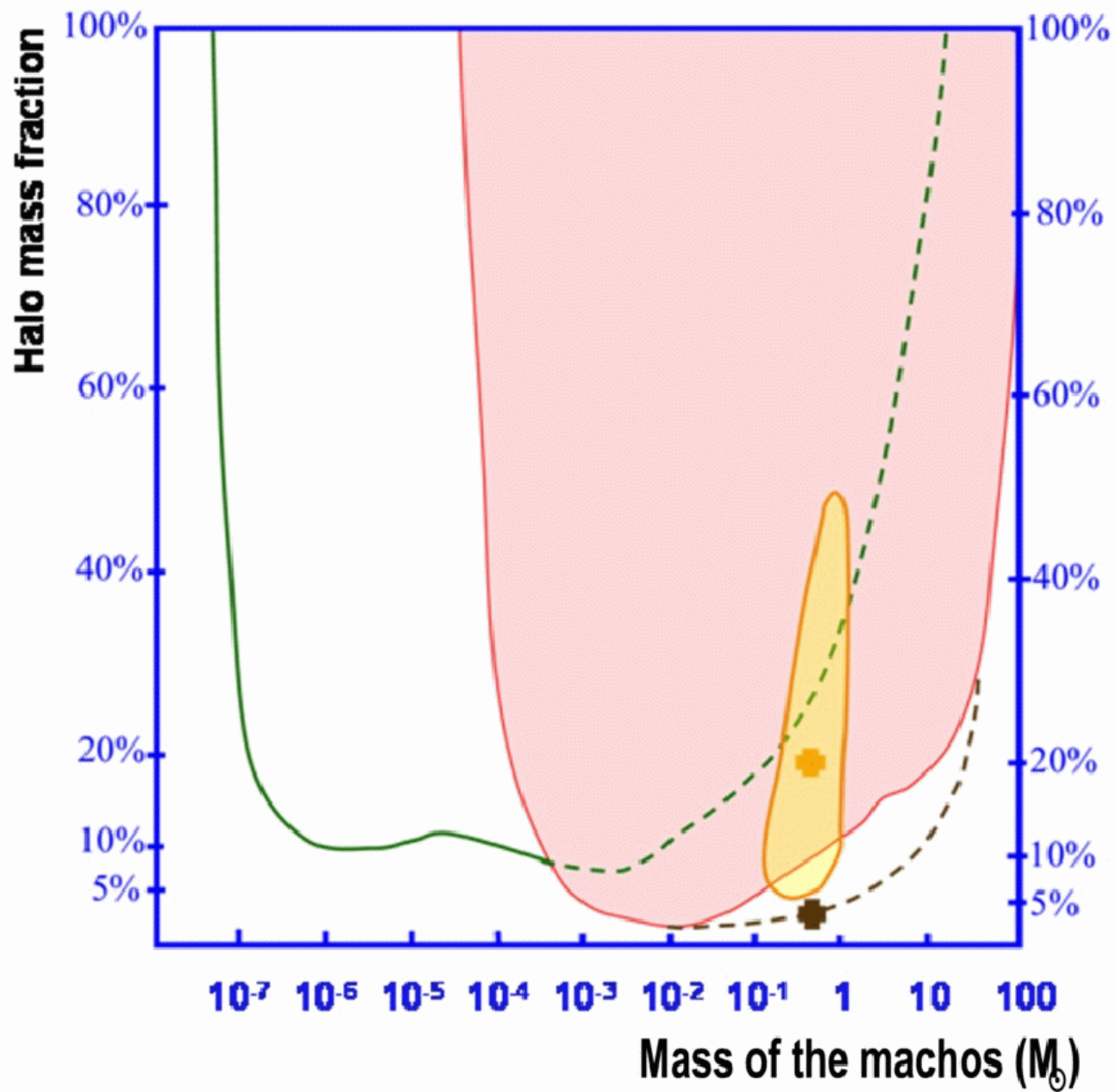
Yu.N. Gnedin, Pulkovo Observatory.

Co-authors: M.Yu. Piotrovich,
T.M. Natsvlishvili.

The Cosmic Mystery-Pie



'The constitution of the universe may be set in first place among all natural things that can be known'
Galileo Galilei, *Dialogue*



Axion Properties

The Peccei-Quinn (1977) solution to the **strong CP problem** gives us the **axion** (Weinberg, 1978; Wilczek, 1978).

New parameter: f_a , the Peccei-Quinn (PQ) symmetry breaking scale.

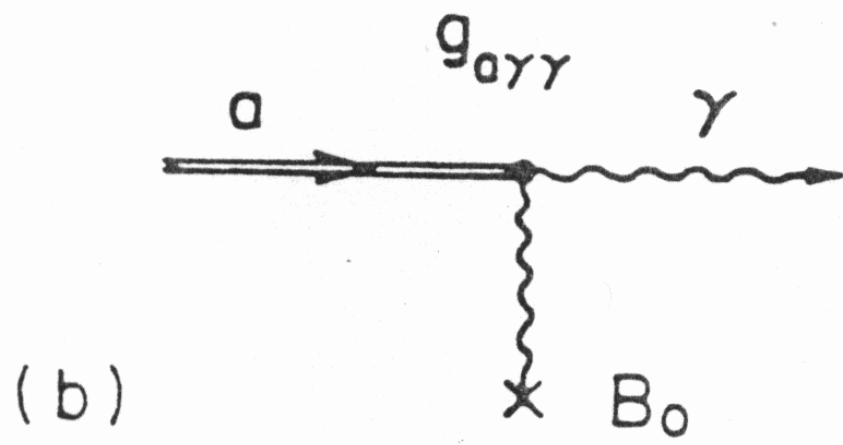
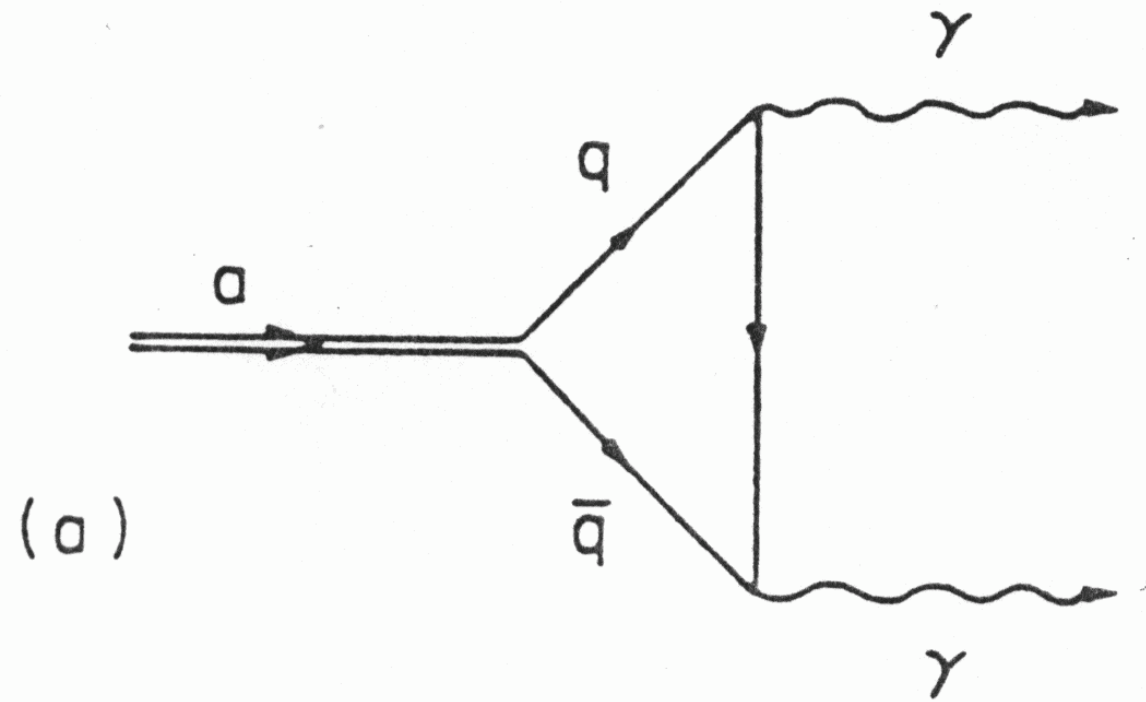
Small mass

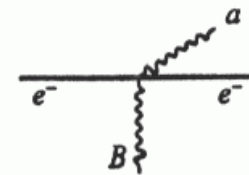
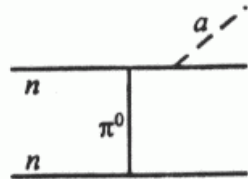
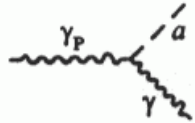
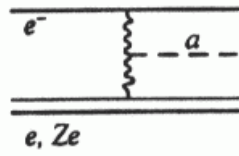
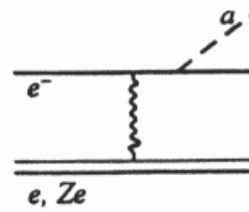
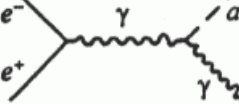
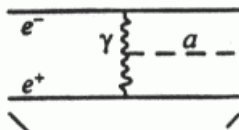
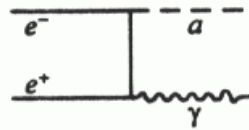
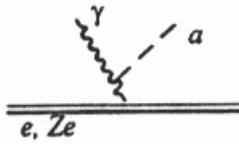
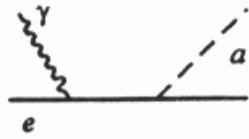
$$m_a = 6 \mu\text{eV} \left(\frac{10^{12} \text{ GeV}}{f_a} \right) \quad (1)$$

$$m_a \sim 10^{-6} - 10^{-2} \text{ eV}$$

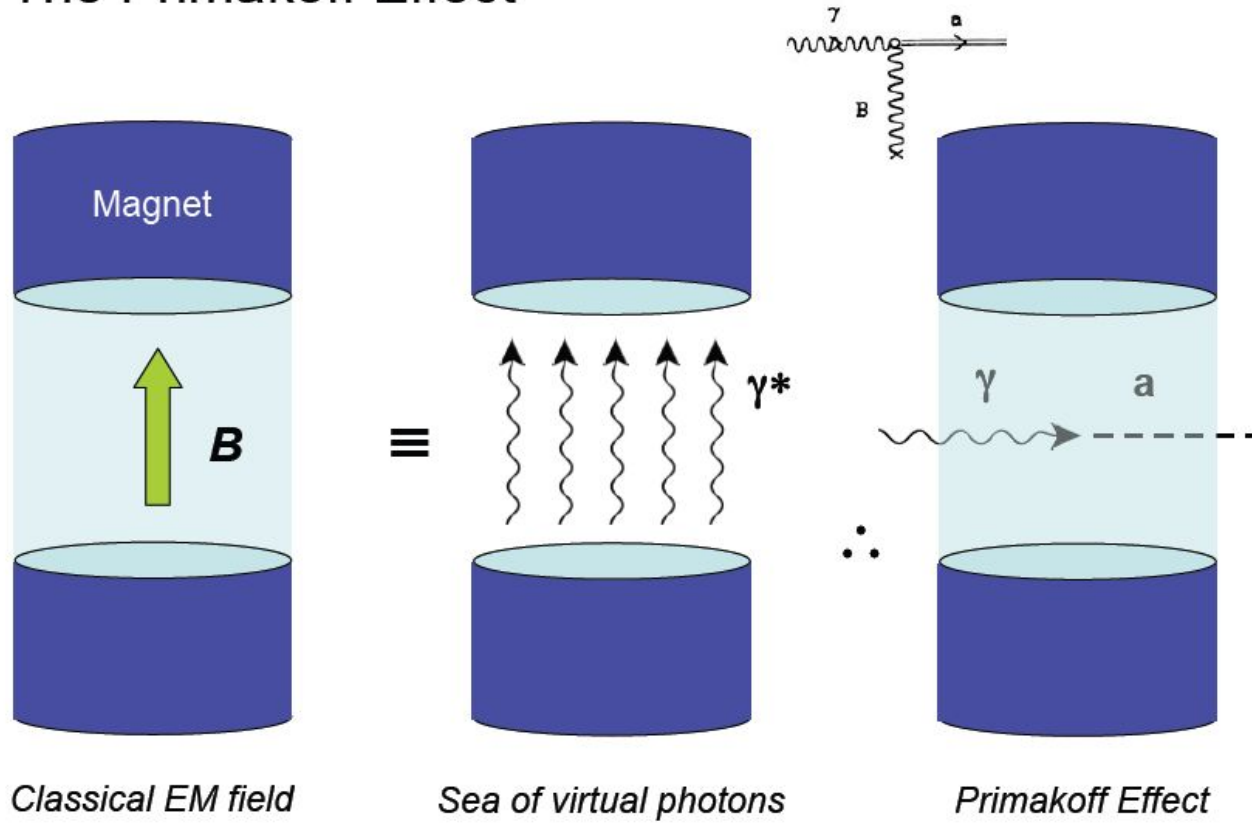
$$\implies f_a \sim 10^9 - 10^{13} \text{ GeV}$$

The parameter space is bounded - we know where to look!





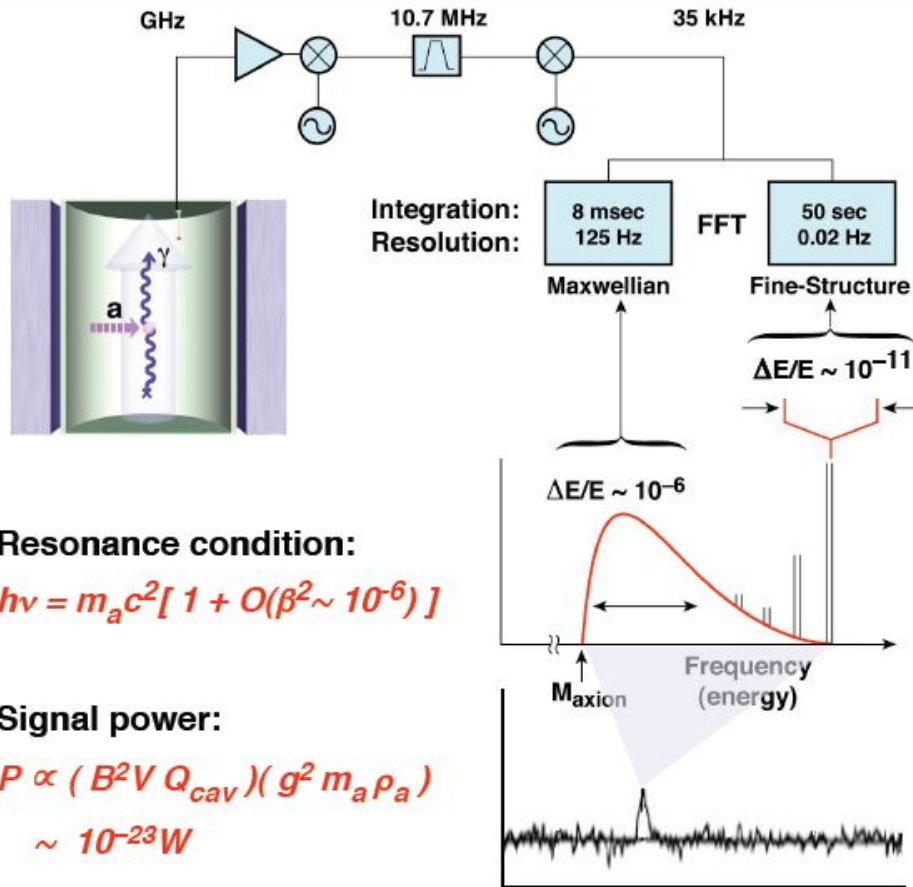
The Primakoff Effect



AXION

Nature of axionic dark matter, and principle of the microwave cavity experiment [Pierre Sikivie, PRL 51, 1415 (1983)]

AXION



Resonance condition:

$$h\nu = m_a c^2 [1 + O(\beta^2 \sim 10^{-6})]$$

Signal power:

$$P \propto (B^2 V Q_{cav}) (g^2 m_a \rho_a) \sim 10^{-23} W$$

Local Milky Way density:

$$\rho_{halo} \sim 450 \text{ MeV/cm}^3$$

Thus for $m_a \sim 10 \mu\text{eV}$:

$$\rho_{halo} \sim 10^{14} \text{ cm}^{-3}$$

$$\beta_{\text{virial}} \sim 10^{-3} :$$

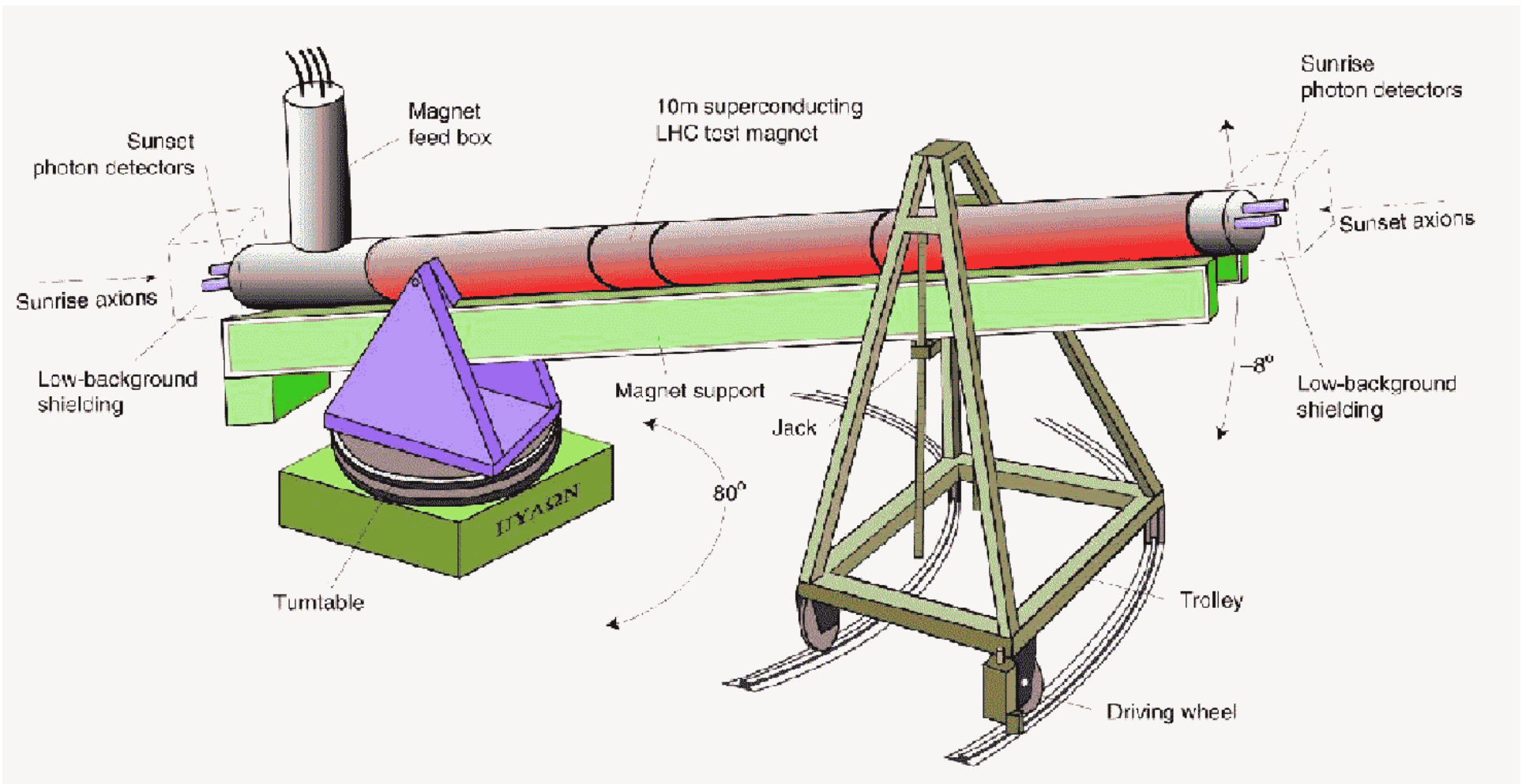
$$\lambda_{\text{De Broglie}} \sim 100 \text{ m}$$

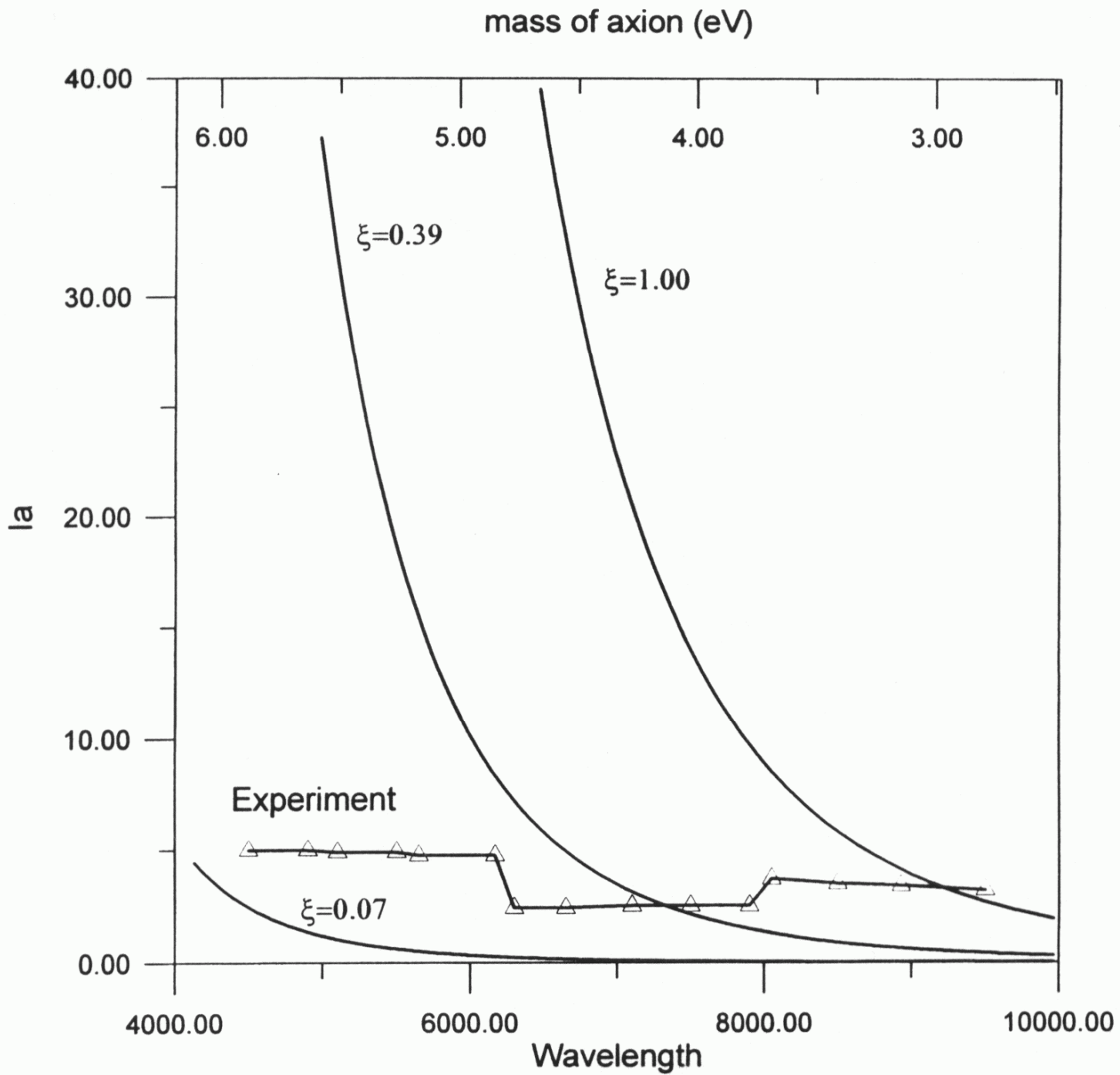
$$\Delta \beta_{\text{flow}} \sim 10^{-3} :$$

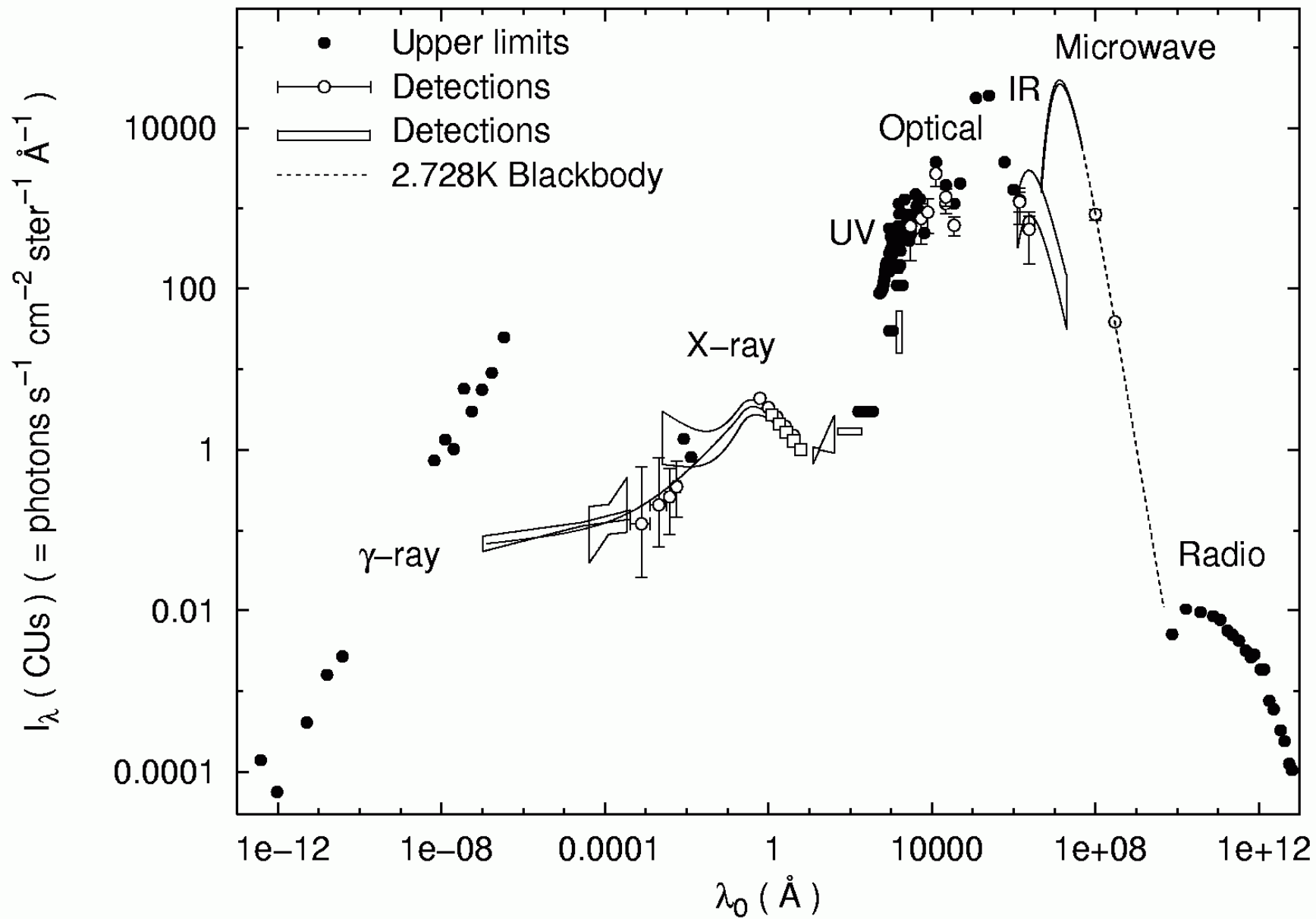
$$\lambda_{\text{Coherence}} \sim 1000 \text{ km}$$

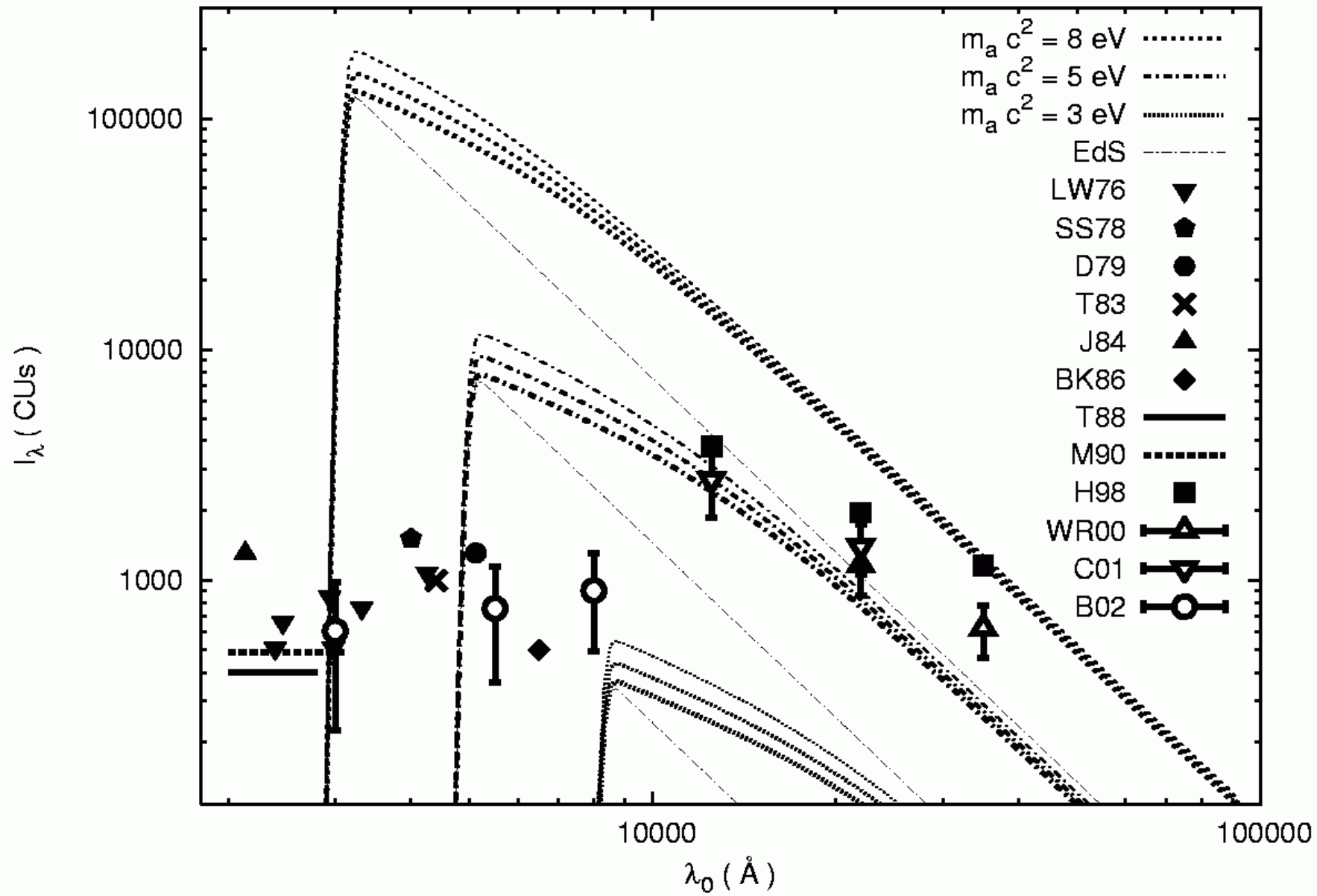
Key point !

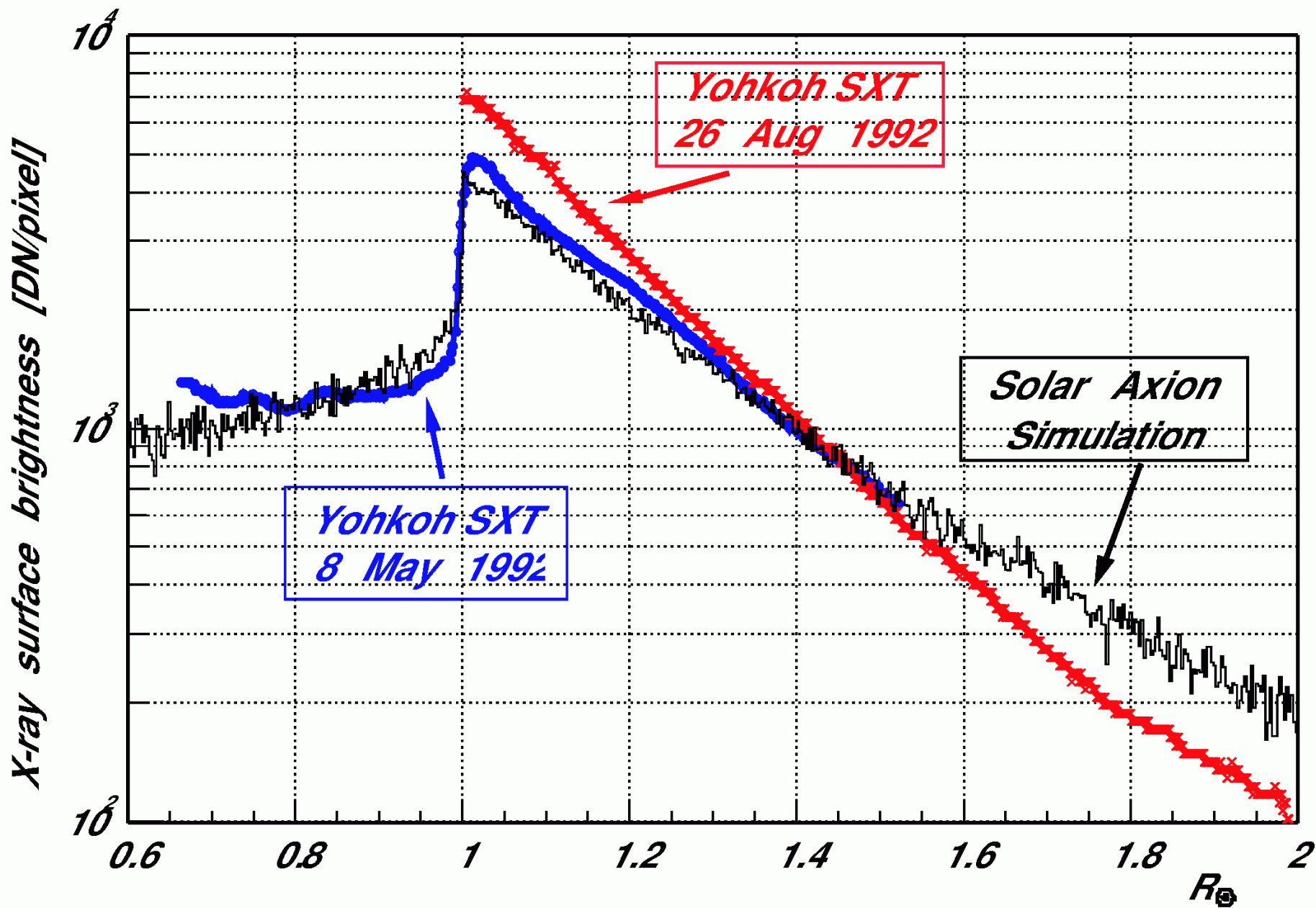
The signal is the
Total Energy
(= Mass + Kinetic)
of the axion

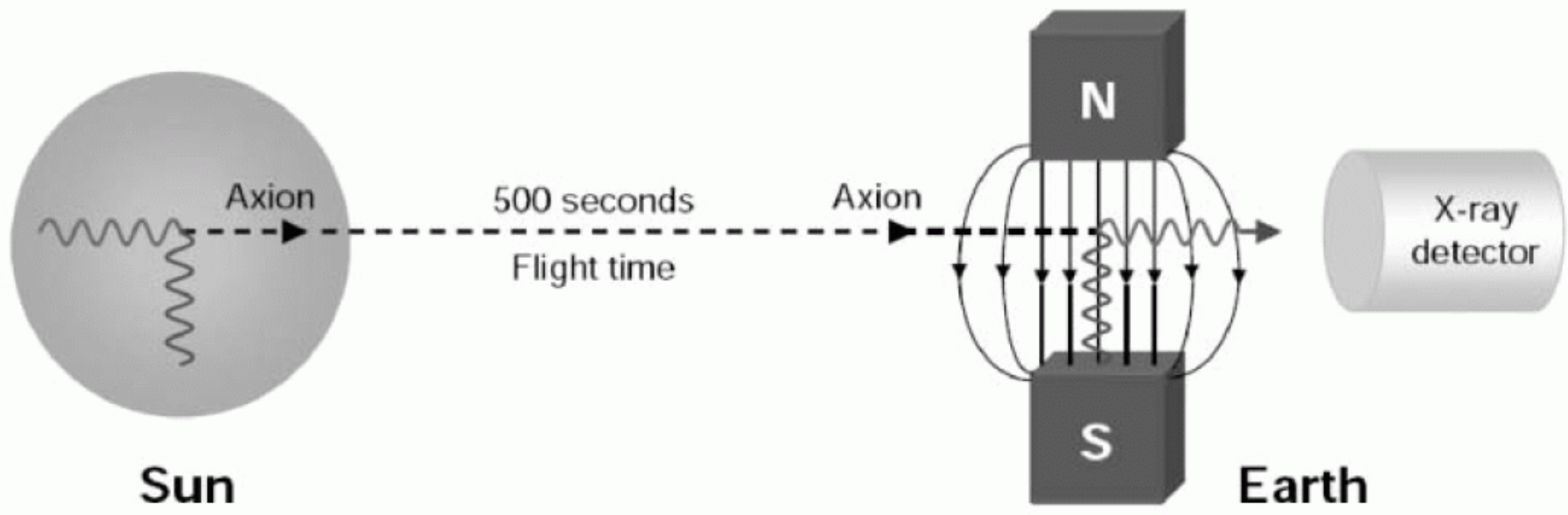


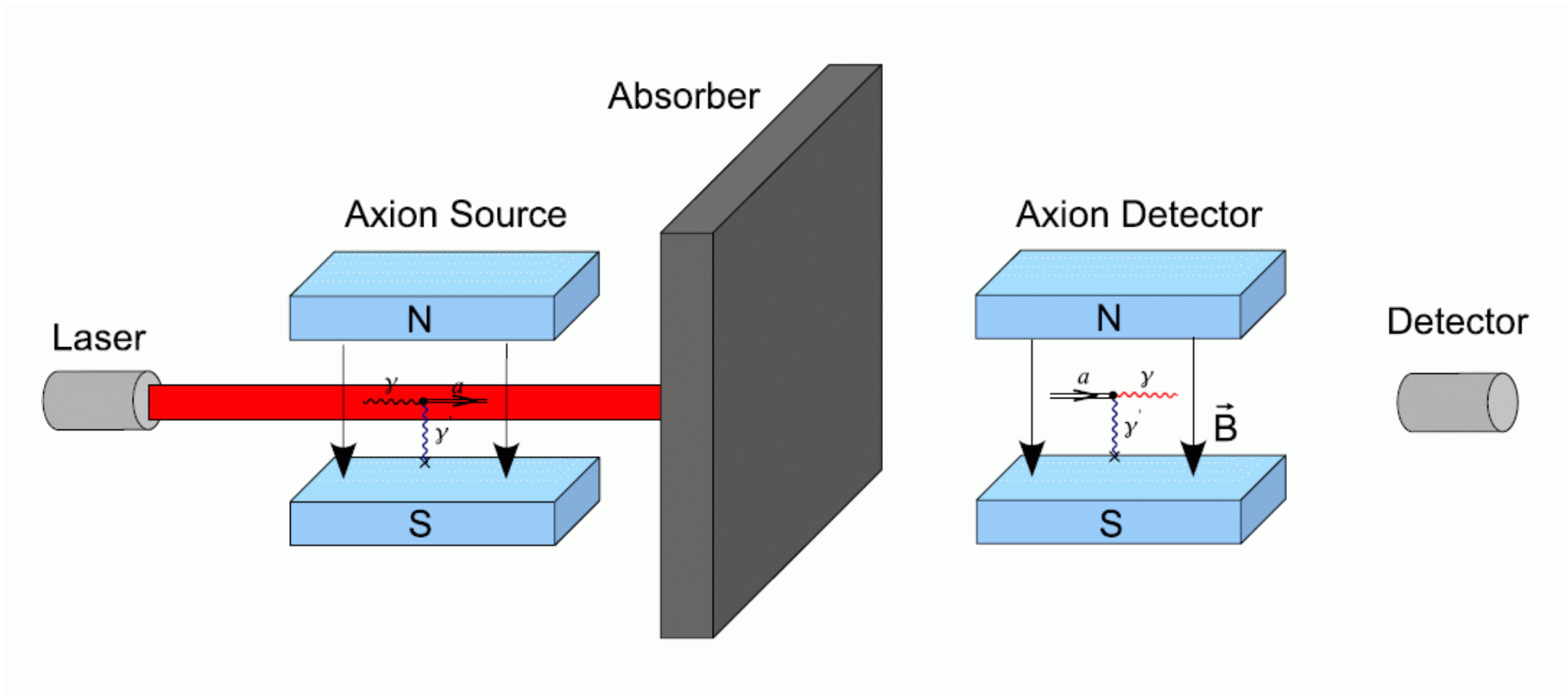




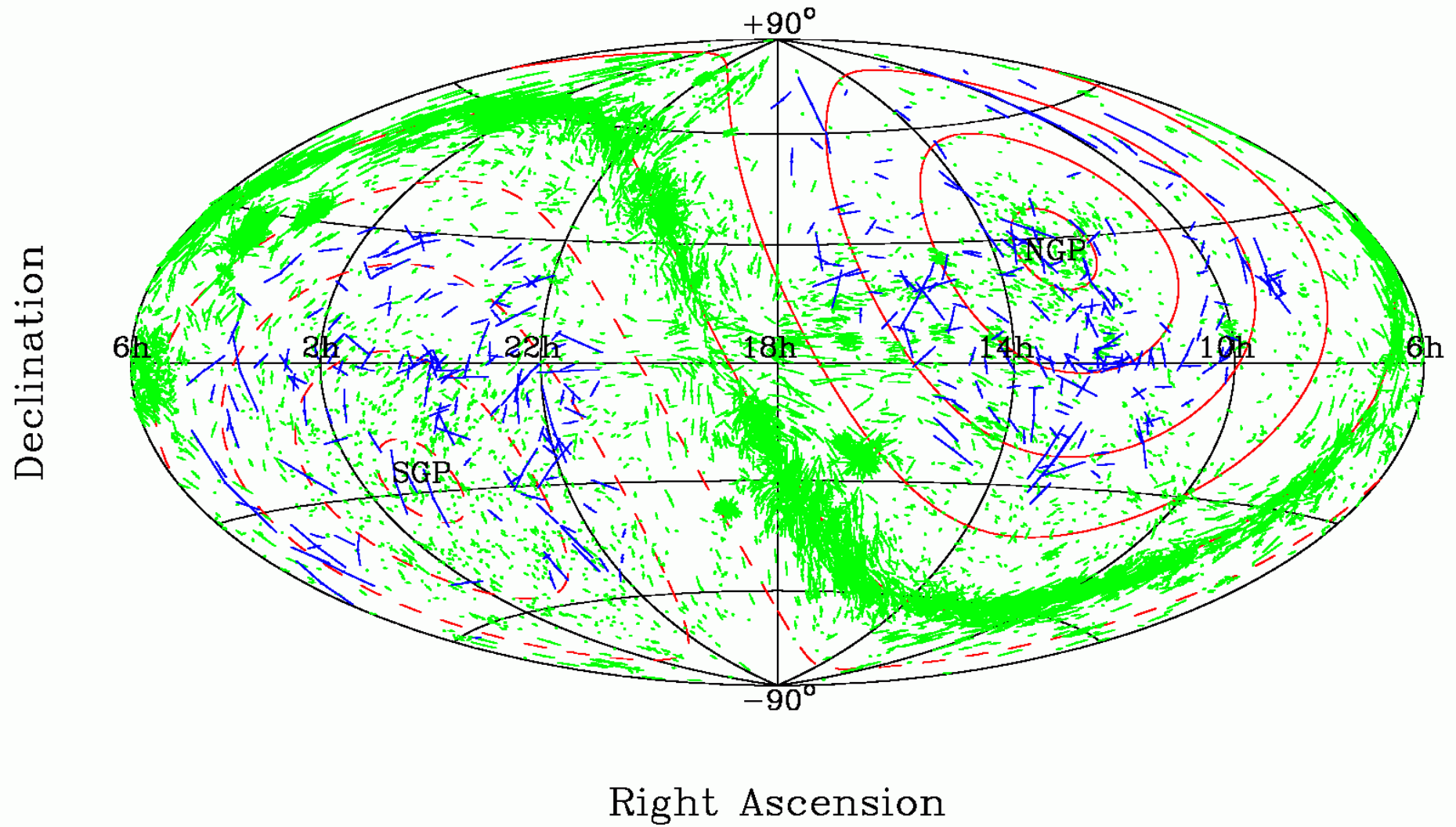


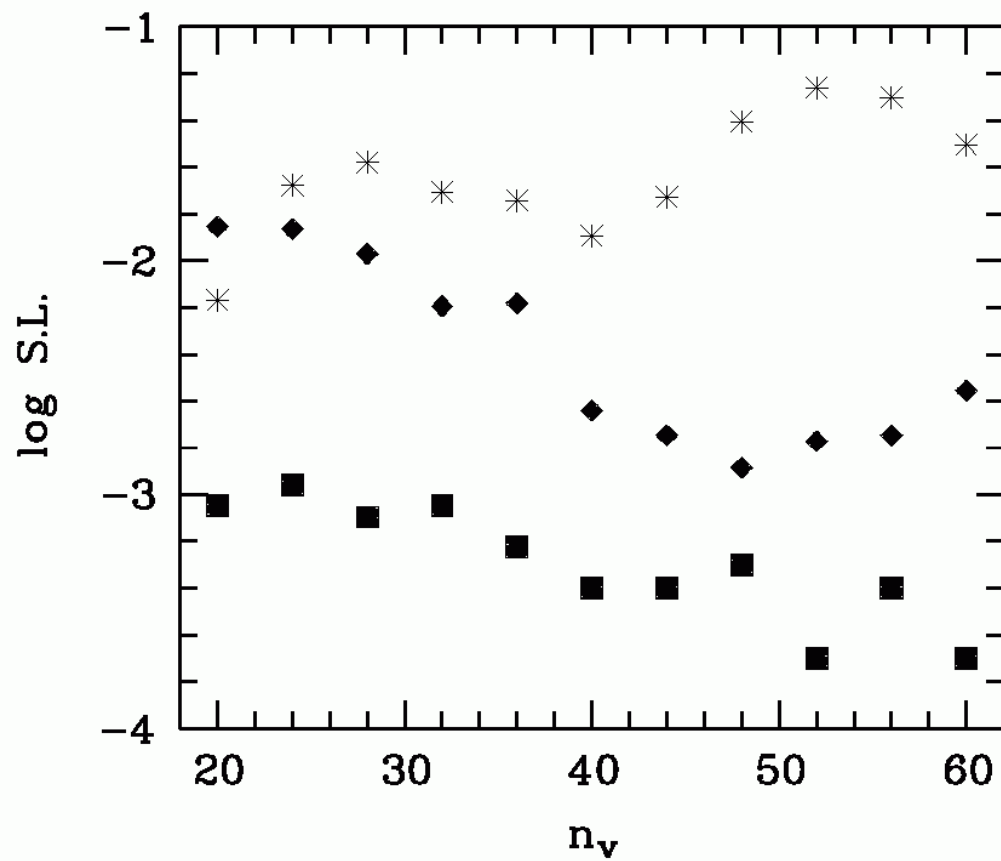
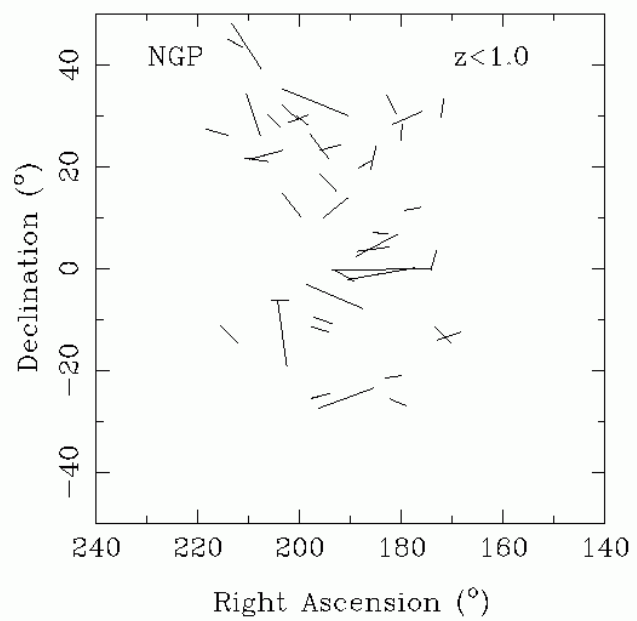
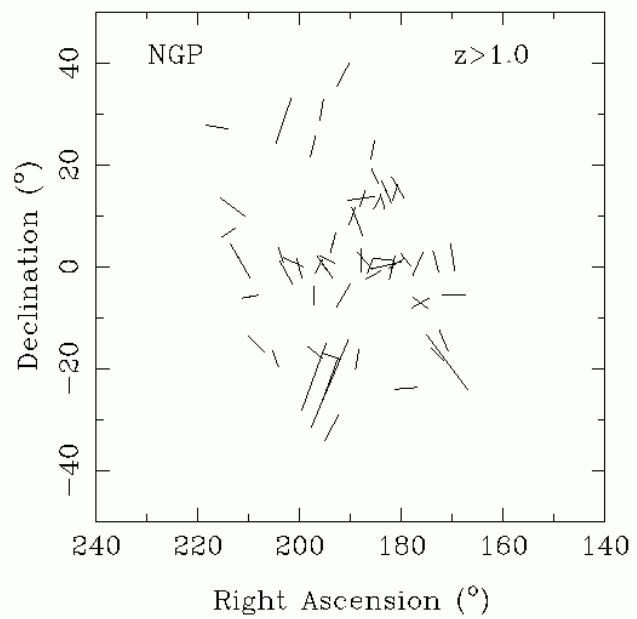


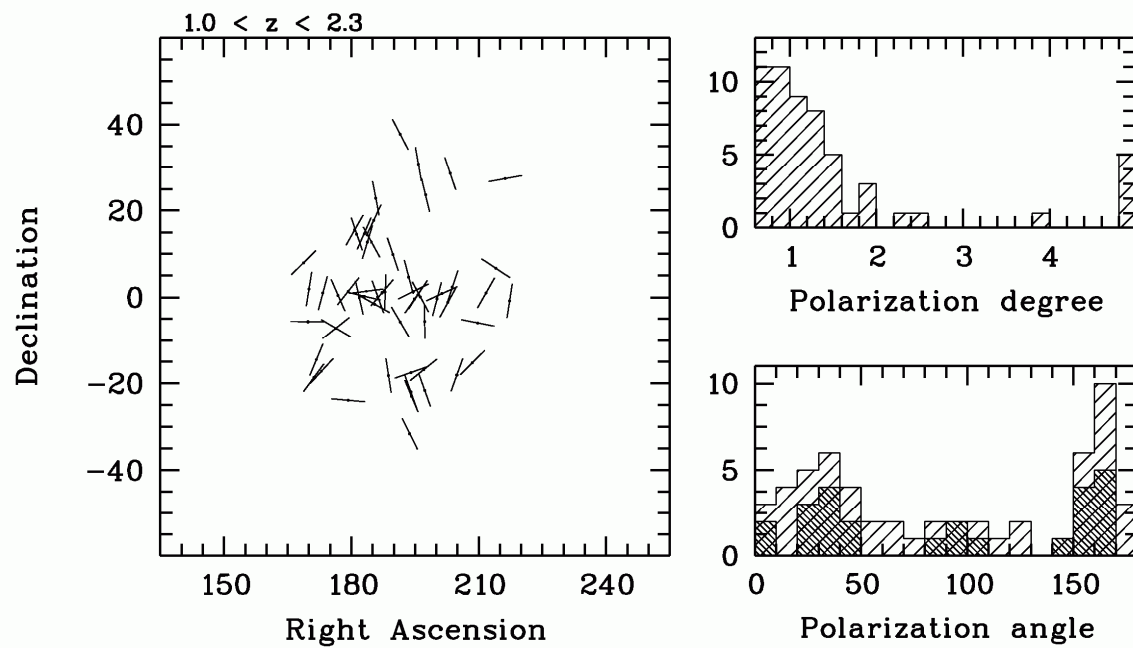
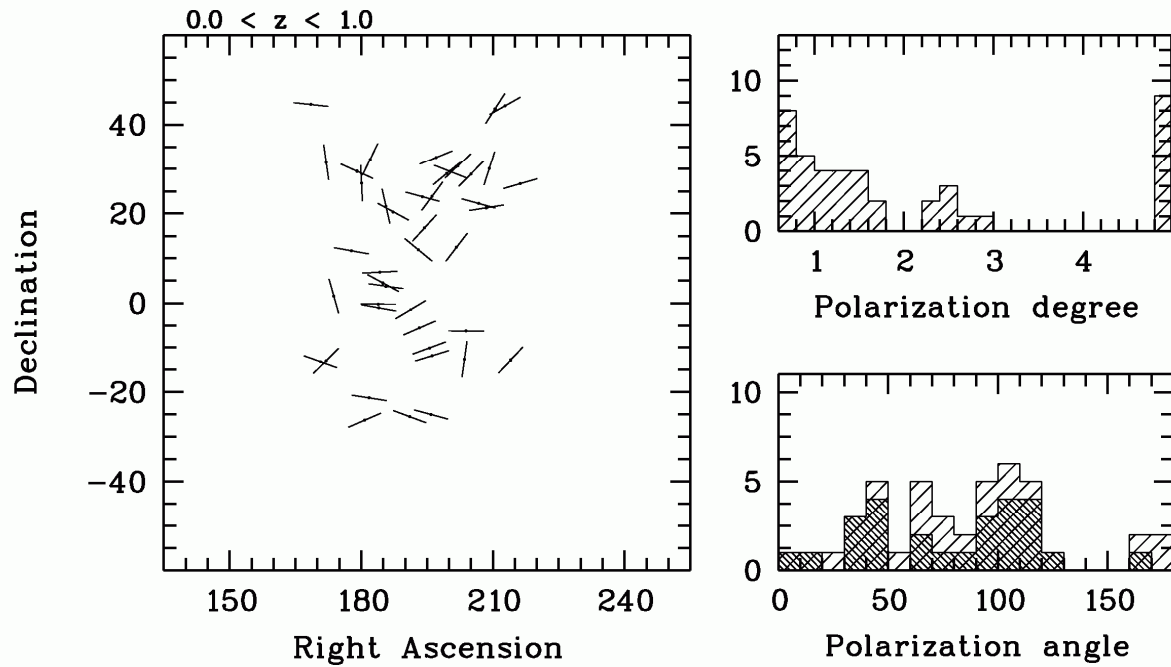


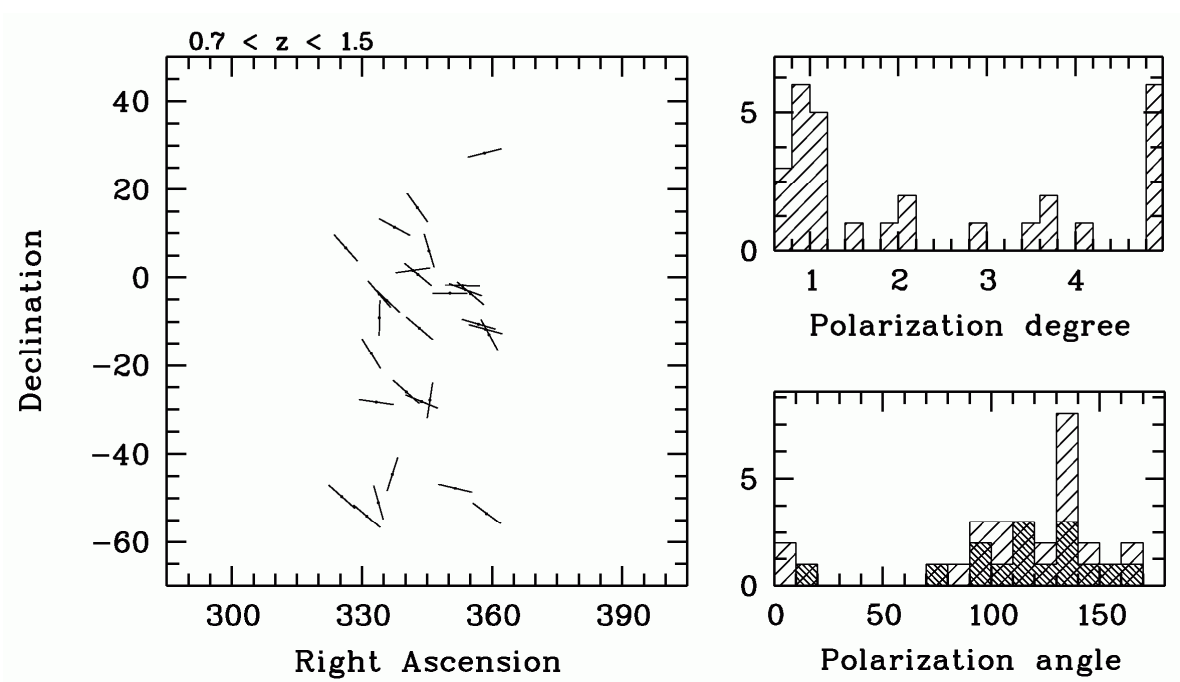
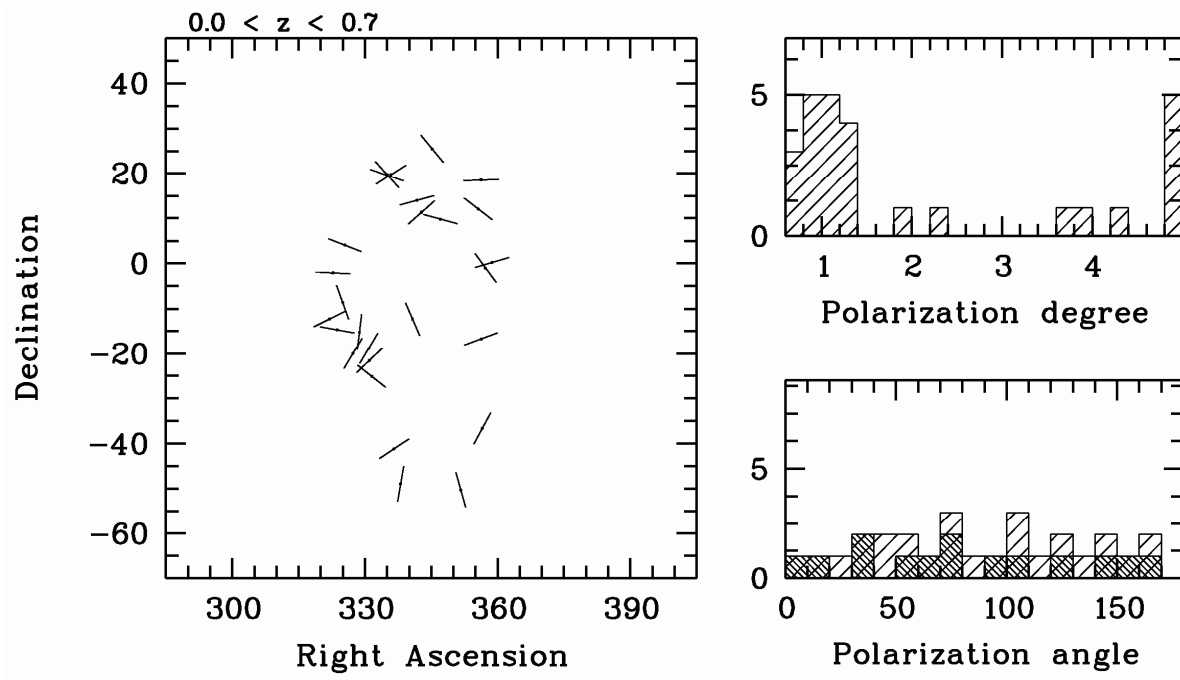


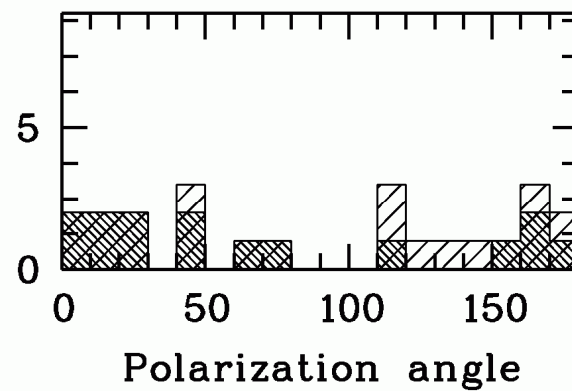
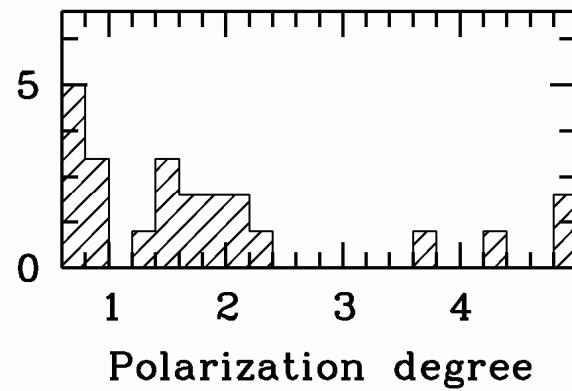
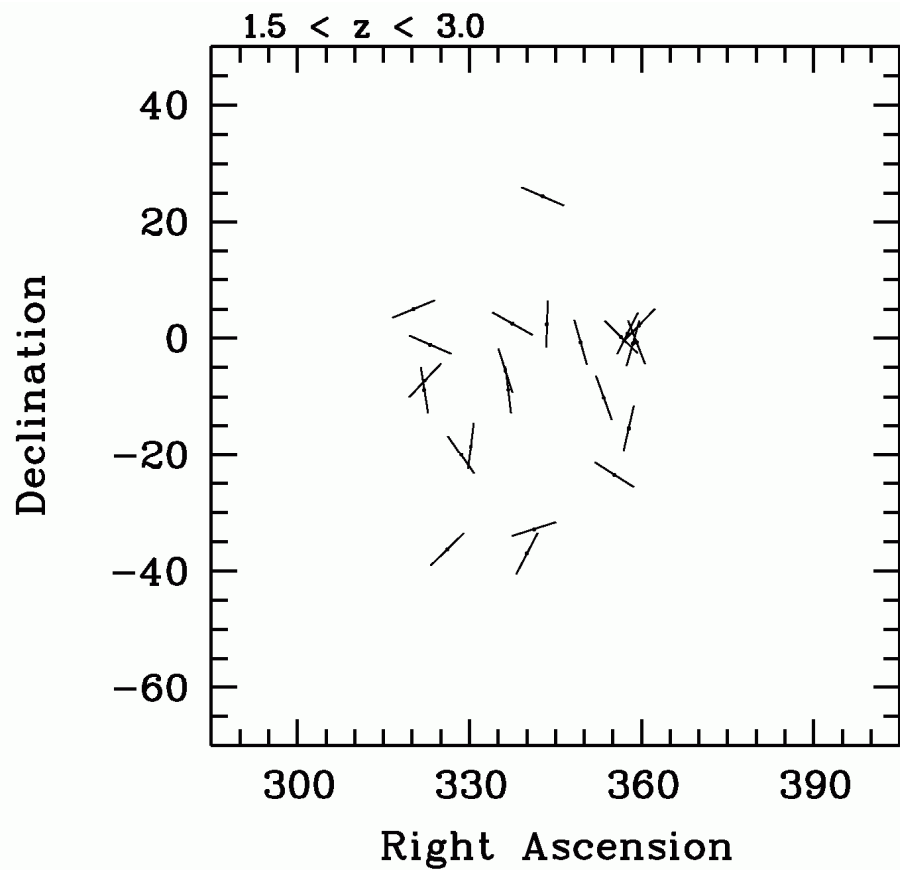
Map of 355 Polarized Quasars, Aitoff projection











Magnetic Conversion of Photons into Fundamental Particles

Grand Unification theory (GUT) requires the existence of coupling between photons and fundamental particles. This coupling is determined by Lagrangian term (for scalars):

$$-\frac{1}{M_s} \phi F^{\mu\nu} F_{\mu\nu},$$

where F is the tensor of electromagnetic field and ϕ is a scalar field.

The theory gives the following expression for probability of conversion of definitely polarized photons W_{\parallel} into scalar particles (Raffelt and Stodolsky (1988), Gnedin (1994)):

$$W_{\parallel} = \frac{L_p^2}{L_B^2 + L_p^2} \sin^2 \left(\frac{1}{2} \frac{BL_{coh}}{M_s} \sqrt{1 + L_B^2/L_p^2} \right), \quad (a)$$

where B is the magnetic field strength, L_{coh} is the coherence length of magnetic field, $L_B = 2\pi M_s/B$ and $L_p = 2\pi\omega/\omega_p^2$ are the oscillation lengths of magnetic conversion into vacuum magnetic field and into plasma, respectively. Only one polarization state for which the electric vector lies into the plane containing the magnetic field and line of sight directions is transformed. Here and below the symbol B means really the projection of the vector B on this plane.

The Eq.(a) is valid only if the condition $L_B, L_p < 2\pi\omega/m_\phi$ takes place, where m_ϕ is the mass of a scalar. Therefore, our consideration is restricted only by low mass and massless scalars or gravitons. For the case of vacuum, i.e. when $L_p \ll L_B$ Eq.(3) is very simplified and takes a form:

$$W_{\parallel} = \sin^2 \left(\frac{1}{2} \frac{BL_{coh}}{M_s} \right) \approx \frac{B^2 L_{coh}^2}{4M_s^2}$$

if the condition takes $BL_{coh} \ll M_s$.

The degree of linear polarization p_l can be easily found by

$$P_l = \frac{I_{\perp} - I_{\parallel}(1 - W_{\parallel})}{I_{\perp} + I_{\parallel}(1 - W_{\parallel})} \approx W_{\parallel}/2$$

if one has deal with non-polarized light, i.e. $I_{\parallel} = I_{\perp} = I_0/2$ and $W_{\parallel} \ll 1$.

Now the main problem consists in the estimation of the magnitudes of B and L_{coh} for real astrophysical conditions.

Magnetic Photon Conversion in the IGM

We shall make our estimations using approximation by Furlanetto and Loeb (2001) accepting the dependence of IGM magnetic field strength on coherence length in a form

$$B \equiv B_{ICM} = 10^{-9} (L_{coh}/1Mpc)^{-1/2} G.$$

The IGM electron density is

$$n_e = \Omega_b h^2 \times 10^{-5} (1+z)^3 cm^{-3} \approx 2 \times 10^{-7} (1+z)^3 cm^{-3}.$$

The the oscillations lengths are:

$$L_p = \frac{2\pi\omega(1+z)}{\omega_p^2} \approx 2 \times 10^{29} \left(\frac{\omega}{3eV} \right) \frac{1}{(1+z)^2} eV^{-1},$$

$$L_B = \frac{2\pi M_s}{B} = 10^{23} \left(\frac{10^{-9} G}{B} \right) \left(\frac{M_s}{1TeV} \right) eV^{-1},$$

where ω_p is the plasma frequency.

Получены наиболее сильные ограничения константы фотон-аксионной связи:

$$g_{a\gamma} \leq 4.6 \times 10^{-12} \left(\frac{B}{10^{-9} G} \right)^{-1} \left(\frac{H_0}{75 \text{ km/s Mpc}} \right)^{1/2} (\text{GeV})^{-1}$$

$$m_a \leq 1.8 \times 10^{-13} \text{ eV}$$

Характерная длина однородности межгалактического магнитного поля:

$$l \approx 1 \text{ Mpc}$$

Axion Birefringence

$$\theta = \frac{1}{8} g_{a\gamma}^2 B_{\perp}^2 L^2$$

$$\varepsilon = \frac{\left(g_{a\gamma} B_{\perp} m_a \right)^2}{48\omega} L^3$$

Некоторые дополнительные следствия

1. E. Zavattini et al., hep-ex/0507107

$$\theta = \frac{1}{8} g_{a\gamma}^2 B_{\perp}^2 L^2 \rightarrow (3.9 \pm 0.5) \times 10^{-12} \frac{\text{rad}}{\text{pass}} \quad g_{a\gamma} \square 4 \times 10^{-6} 1/\text{GeV}$$

Hutsemekers et al: $\theta \approx 30^\circ / \text{Gpc}$ $B_{IGM} \approx 10^{-15} \text{G}$

2. Local Bubble: intrinsic polarization of stars.

Intrinsic linear polarization of stars does not correspond their spectral types.

Leroy: 1000 stars $\sim 50 \text{пс}$ $B = 3 \times 10^{-6} \text{G}$, $L_B \square L_P$, $P_l \square P_{ISM}$

3. The circular polarization of radiation of AGN и QSOs.

$$P_V = \frac{(B_{\perp} m_a)^2}{48\omega} g_{a\gamma}^2 L^3, \quad L \square 1 \text{Gpc}, B_{\perp} \square 10^{-16} \text{G}, g_{a\gamma} = 4 \times 10^{-6} 1/\text{GeV}, m_a \approx 10^{-26} \text{eV}$$

Motivation from Particle Physics

Standard Model extremely successful ... but incomplete!

Neutrinos oscillate -> are massive!

Hierarchy problem: $10^3 \text{ GeV} \ll 10^{19} \text{ GeV}$

Popular extensions:

Supersymmetry (bosons - fermions)

LSP (neutralino)

Extra dimensions ($3 + 1$)

LKP (first KK excitation of the photon)

Generic: WIMPs, $M \sim 10 \text{ GeV} - 1 \text{ TeV}$

Axion Dark Matter eXperiment (ADMX)

AXION

University of California, Berkeley

John Clarke

University of Florida

Pierre Sikivie, Neil Sullivan, David Tanner

Lawrence Livermore National Laboratory

Stephen Asztalos, Gianpaolo Carosi, Christian Hagmann, Darin Kinion, Karl van Bibber

National Radio Astronomical Observatory

Richard Bradley

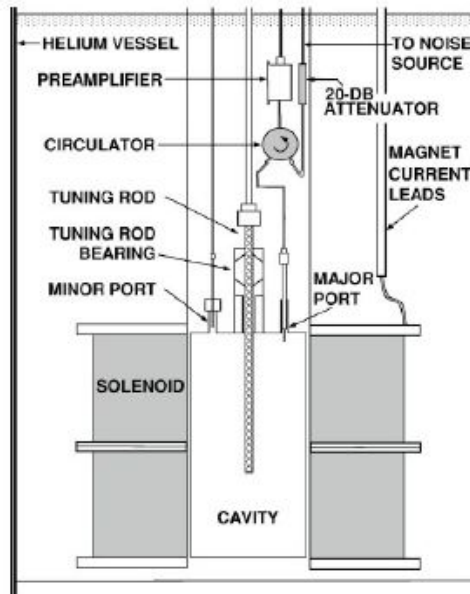
University of Washington

Michael Hotz, Leslie Rosenberg, Gray Rybka

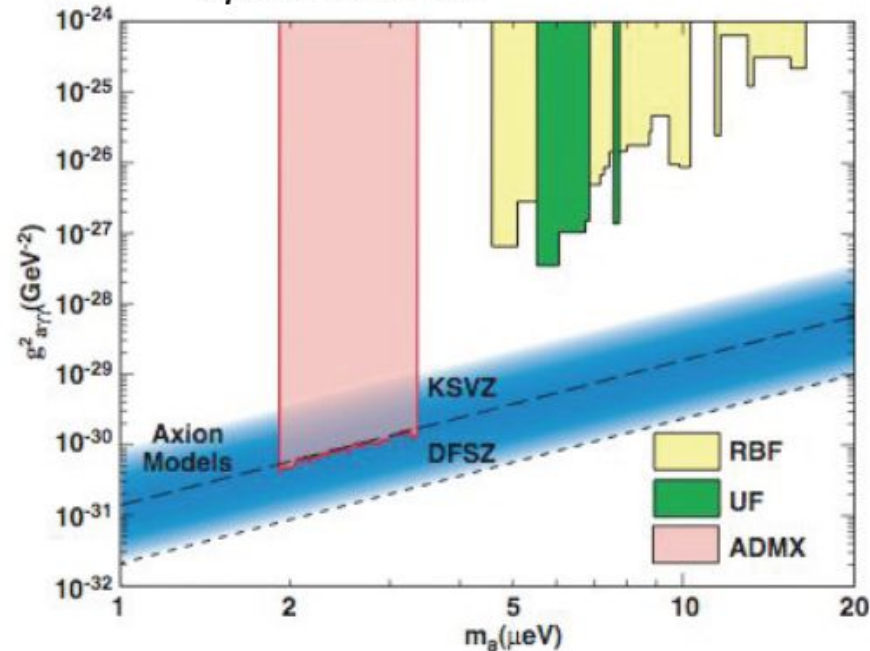
ADMX performed as designed – scanned in the model band

AXION

From W. Wuensch *et al.*,
Phys. Rev. D40 (1989) 3153



PRL 80 (1998) 2043
PRD 64 (2001) 092003
PRD 69 (2004) 011101(R)
ApJ Lett 571 (2002) 27



*We learned much from the first-generation exp'ts (~ liter volume)
Already came within a factor of 100-1000 of the desired sensitivity*